

Re: E = wLF Derived By Modified Quantum Logic

Source: <http://sci.tech-archive.net/Archive/sci.logic/2005-01/1984.html>

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Date: 01/24/05

Date: 23 Jan 2005 16:02:59 -0800

What about an application to physics in the rather simple cases of expanding and/or accelerating universes including the early inflationary period, with the resultant one-dimensional forces being gravitational versus expansion (the latter can be the Cosmological Constant, Dark Energy-based, Quintessential (partly contained in the first), etc.)?

One might first be tempted to deny the accuracy of $E = wLF$ based on the fact that gravitational potential energy (PE) is:

$$1) PE = -km_1m_2/r$$

where m_1, m_2 are the two masses involved and r is the distance between them and k is constant. The potential energy is supposedly assigned to the system of two masses rather than to either one individually, which makes one wonder about the accuracy of the assignment, but we will ignore this slight problem. Work is then defined as the difference of two potentials at two points (supposedly attributed to one of the original pair of point masses).

The force field on a unit mass $m_1 = 1$ exerted by a central mass $m_2 = M$ at the origin $(0, 0, 0)$ in Euclidean/rectangular coordinates gravitationally with magnitude GM/r^2 for Newton's gravitational constant G is:

$$2) F(x,y,z) = -GM(x,y,z)/(x^2 + y^2 + z^2)^{3/2}$$

where (x, y, z) is the vector $r = (x, y, z)$. The work done by force F in moving a unit mass from point (x_1, y_1, z_1) to (x_2, y_2, z_2) is:

$$3) -\text{grad}(F)(x_1, y_1, z_1) - (-\text{grad}(F)(x_2, y_2, z_2)) = MG(1/r_2 - 1/r_1)$$

with $F = -\text{grad}(-MG/r)$ where PE is $-MG/r$ since the force is irrotational.

Thus, it looks as though work $W = LF1 - LF2$ where L is proportional to $1/r$, and so as in the earlier posting it is the difference in energies rather than the energy which is proportional to the work times the displacement.

Nevertheless, it makes sense to attribute an energy $E = LF$ to each point mass even in this case, which also resolves the quandary about only assigning a gravitational potential to the system and not to each point mass (and similarly for string masses) and can be easily extended to an expansive force like Dark Energy's force as well.

To see this, it is useful to read the machinery of my arguments that $P(A \rightarrow B)$ is a proximity function which is a one-sided partial inverse of the Euclidean-like metrics. I developed this over several years at geometry.research through the Math Forum site, although within the last few months I moved from there to almost exclusively the sci.stat.math site.

It is one-sided in the sense that everything is ordered by cause vs effect. For example, in one dimension if x is the cause and y the effect, then $p(x,y) = 1 + y - x$ is the proximity between x and y , and it is not reflexive since it does not equal $1 + x - y$, but it is nonnegative and between 0 and 1 and has some other interesting features. You might try to begin with $p(x,y) - 1$ and examine its properties.

Notice that when the distance $d(x,y) = |x - y| = 0$ with the ordered condition $y \leq x$, we have $1 + y - x = 1$ and when $d(x,y) = 1$ with $y \leq x$ we can only have $x - y = 1$ which for x, y in $[0, 1]$ and $y \leq x$ implies $x = 1$ and $y = 0$ so $p(x,y) = 1 + y - x = 1 + 0 - 1 = 0!$ As expected, proximity goes up when Euclidean-like distance goes down in the unit n -hypercube. $p_n(x, y)$ for x, y n -dimensional is defined as $1 + \text{average of } x\text{-coordinates} - \text{average of } y\text{-coordinates}$.

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