

Re: Why are rules of inference not laws of sentential calculus?

Source: <http://sci.tech-archive.net/Archive/sci.logic/2005-10/msg00294.html>

- *From:* "George Dance" <georgedance04@xxxxxxxx>
 - *Date:* 12 Oct 2005 03:40:22 -0700
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andrewspencers@xxxxxxxx wrote:

> George Dance wrote:

>>> "[$(p \rightarrow q), p$] / q " written in the metalanguage seems to mean exactly the
>>> same thing as " $[(p \rightarrow q) \wedge p] \rightarrow q$ " written in sentential calculus,
>>> especially considering that in both cases the variables p and q range
>>> over the same things: sentences of the sentential calculus.

>>

>> They correspond – for instance, they're logically equivalent (it has to
>> be that one's true iff the other is true) – but they don't say the same
>> thing.

> BTW you didn't dispute my claim that in both cases " p " and " q " range
> over the sentences of the sentential calculus. Is my claim really
> correct? I thought that any variable " x " which ranged over the
> sentences of some language L could not exist in L , but must exist in
> some language M which is a metalanguage of L .

You may be confusing me with another 'george' – one who tends to shout a lot for emphasis. I've said nothing about 'metalanguages.' What I mentioned were two different 'levels of description'.

'Metalanguage' was a Tarski invention for one such case of different levels, which does not require them even being two different languages – if the two of us were talking about cars or women, for instance, and then began talking about what a statement one of us had said earlier (whether it was really true or false), we'd have shifted from using English as an object language to using it as a metalanguage without even making a distinction. Metalanguages exist only relatively; the same language can be an OL or a ML in two different contexts, or even in two different applications of the same context.

To make all that relevant to your 'claim', I'd say that I agree with it; it looks quite clear that, in PC, formulas involving propositional variables like p and q (plus the operators) are 'metalanguage' statements relative to formulas involving constants like P and Q (plus the same variables). Which may contradict what 'george' et al have been telling you (I haven't paid that much attention to their posts

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here), but that's not a problem; he and I are not singing using the same hymn book anyway.

• **References:**

- ◆ **Why are rules of inference not laws of sentential calculus?**
◇ From: andrewspencers
 - ◆ **Re: Why are rules of inference not laws of sentential calculus?**
◇ From: timvaz_059
 - ◆ **Re: Why are rules of inference not laws of sentential calculus?**
◇ From: andrewspencers
 - ◆ **Re: Why are rules of inference not laws of sentential calculus?**
◇ From: Torkel Franzen
 - ◆ **Re: Why are rules of inference not laws of sentential calculus?**
◇ From: george
 - ◆ **Re: Why are rules of inference not laws of sentential calculus?**
◇ From: andrewspencers
 - ◆ **Re: Why are rules of inference not laws of sentential calculus?**
◇ From: George Dance
 - ◆ **Re: Why are rules of inference not laws of sentential calculus?**
◇ From: andrewspencers
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