

Re: incompleteness of first-order logic

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- *From:* "Li Yi" <liyicn@xxxxxxxxxx>
 - *Date:* 30 Jan 2006 06:02:46 -0800
-

Yes, p is an arbitrary sentence.

T is Complete, if for any sentence p , it holds $T \models p \Rightarrow T \models \neg p$.

How to prove it in propositional logic?

Could you please show a concrete example to

$\text{Th } M \models \forall y R(c,y)$

$\text{Th } M \models \exists y \neg R(c,y)$.

The book written by my teacher says it is true in first-order logic.

Thank you.

Jan Burse wrote:

> Jan Burse wrote:

> >> M is a model. Let $\text{Th } M = \{p : M \models p\}$.

> >> Show that $\text{Th } M$ is a complete theory, that is to say, $\text{Th } M \models p \Rightarrow \text{Th } M$

> >> $\models \neg p$.

> Sorry, do you mean by p an arbitrary sentence.

> Then it is true in the propositional case.

> But false in the predicate logic case.

>

> The reason is that in your univers U of M

> you might have elements which might not

> have terms in your language.

>

> Thus for example it could be that $\text{Th } M \models$

> $\forall y R(c,y)$, and $\text{Th } M \models \exists y$

> $\neg R(c,y)$.

>

> Must think about such an M , let me see in a

> next E-mail.

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- *Follow-Ups:*
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◇ *From: Jan Burse*

• **References:**

◆ ***incompleteness of first-order logic***

◇ *From: Li Yi*

◆ ***Re: incompleteness of first-order logic***

◇ *From: Jan Burse*

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