

## ? numerical diff

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Suppose we have a set of Chebyshev points fall in  $[-1, 1]$ , and function values at these points. We can use spectral numerical difference to get high accuracy approximations for their derivatives at those points. Problem is, in real life, we cannot always take samples at Chebyshev nodes. Often times, we have uniformly distributed sample points fall in whatever interval. In this case, are there ways to use spectral numerical difference or any other numerical difference methods to get high accuracy approx of derivatives?

Thanks,  
by Cheng Cosine  
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