

Re: Optimizing Unit Clause Resolution

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On Mon, 7 Jun 2004, Russell Easterly wrote:

>
> "Jim Nastos" <nastos@cs.ualberta.ca> wrote in message
> news:Pine.LNX.4.44.0406051619160.32381-100000@tees.cs.ualberta.ca...
>
> > The well-known problem "exactly-one-SAT" is NP-complete and the
> > reduction is straight from 3-SAT:
> >
> > To map a 3-SAT instance to an instance of EXACTLY-ONE-(OutOf3)-SAT:
> >
> > $(a,b,c) \rightarrow (x,y,z) \wedge (x, \sim a, T1) \wedge (y, \sim b, T2) \wedge (z, \sim c, T3)$
> >
> > where $x,y,z,T1,T2,T3$ are six new variables per clause.
> > (So n variables, m clauses $\rightarrow n+6m$ variables and $4m$ clauses).
> >
>
> Would you please give a brief description of how $x,y,z,T1,T2$, and $T3$
> are defined. I couldn't find a good description on the web.

As it says, those six variables are totally new variables and they are entirely free. When converting any (a,b,c) clause, six NEW variables are used each time.

Verify for yourself that if (a,b,c) is satisfiable, then the left side has an exactly-one assignment, while if (a,b,c) is not satisfiable, then the left side will be satisfied with some clause having more than one true variable.

J