

## Re: SF: Back to theory

**Source:** <http://sci.tech-archive.net/Archive/sci.math/2005-02/9193.html>

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**From:** J (Jaybirdmac\_at\_yahoo.com)

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Wouldn't the Strong Law of Small Numbers apply here? Try factoring 47143269.

Nora Baron wrote:

> You have made this so much more complicated than it needs to  
> be. Here is a simpler approach that may accomplish much the  
> same and it is also much more general.

>

> Assume  $M$  is the number to be factored. Pick a (small)  
> integer  $j$ . Let  $T = M - j$ . Thus  $T$  is a function of both  
>  $M$  and  $j$ .

>

> Factor  $T$ . Assume you have split it into two factors,  
>  $f$  and  $g$ . Thus  $T = f * g$ .

>

> Now let  $X$  be some rational function of  $f$  and  $g$ . One  
> possible choice might be,

>

>  $X = (f - g) / (f + g)$ .

>

> Finally, let  $Y = M / X$ . Thus  $M = X * Y$ .

>

> Note that  $X$  and  $Y$  are both functions of the factors of  
>  $T$ . Also both are rational numbers. There is some chance  
> that the numerator of  $X$  has a factor in common with  $M$ .

>

> This is, certainly, surrogate factoring. Really, your  
> underlying idea is not that different. What you are doing  
> essentially is finding a more complex function to define  
>  $X$  as a function of  $f$  and  $g$ .

>

> Here is how this might work with  $M = 15$ . Let  $j = 1$ .  
> Then  $T = M - j = 14$ . You factor  $T$  as  $f * g = 7 * 2$ . Then  
> you note that

>

>  $X = (7 - 2) / (7 + 2) = 5/9$ .

>

> Right there, in the numerator, you have a factor that

- > *divides M.*
- >
- > *Interestingly, the denominator, 9, also has a factor in*
- > *common with M.*
- >
- > *Let's try it on a bigger number. Say  $M = 77$ . Thi*