

## Re: JSH: Objectivity, linking hyperbolas

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  - *Date:* 20 Apr 2005 17:38:45 -0700
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jst...@xxxxxxx wrote:

> [...]  
> The issue is, how does the SFT map?  
>  
> There are posters who are trying to argue a trivial  
> mapping, not unlike what I mentioned with  
>  
>  $x_1 y_1 = 1$   
>  
> and  
>  
>  $x_2 y_2 = 7$   
>  
> where if you just map by, say, multiplying  $x_1$  and  
>  $y_1$  by  $\sqrt{7}$  then you can predict at what rate  
> you will get particular factors.  
>  
> Since 7 is prime, let me pick a composite, like  
>  
>  $x_2 y_2 = 15$   
>  
> and, imagine you map by multiplying  $x_1$  by 3 and  $y_1$   
> by 5, which means you have the factorization up front.  
>  
> Get the idea?

Yes! You CAN use the SF Theorem to find non-trivial factors of M. (Just map  $(x,y)$  to  $(3x, 5y)$ , then ask what  $(1,1)$  maps to. Answer: Two non-trivial factors of M!)

Too bad you need to factor M beforehand.

And I SHOULD get the idea ... I'm the one who suggested setting up a function where you get a non-trivial factor by choosing a special value for  $x$ .

And now you've finally come around to the idea that maybe Mathematics CAN make a distinction between trivial and non-trivial factors of M.

Re: JSH: Objectivity, linking hyperbolas

I'm waiting for my apology. (Hint, hint.)

- > With a simple linkage you can easily tell how factors
- > will emerge without debates about frequency of trivial
- > versus non-trivial factors in rationals.

Again, if you look at the thread "Talking Rationally About Surrogate Factoring", you'll find this mentioned here.

- > But with the SFT, it's a mystery, with people already
- > taking sides.

That's because you don't know when the SF Transformation will produce a non-trivial factor of  $M$ . I don't know, either, unless I solve certain equations for  $j$ ,  $f_1$ , and  $k_1$ .

- > I say, it's a mystery, but it looks to me like the
- > answer is that the math isn't picky, and will factor
- > 50% of the time, but I'm not certain.

You can factor 15 with only ONE iteration, with a 100% success rate, if your transformation happens to be  $(x,y) \rightarrow (3x,5y)$ . All you have to do is to see what happens to  $(1,1)$ .

You evidently don't understand the consequences of your statement about mapping the hyperbola  $xy = 1$  to the hyperbola  $xy = 15$ .

- > Others say, it's trivial and it factors trivially,
- > and it's all just trivial so shut up about trivial
- > stuff.

Yes, THAT transformation. Another one  $((x,y) \rightarrow (3x,5y))$  will NOT factor trivially. The IDEA behind SF may work, e