

Re: $\text{cl}(\bigcap_{1 \leq q < \infty} L^q) = L^p$

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If we denote by $C_c(\mathbb{R})$ all continuous functions with compact support, then the set $C_c(X)$ is dense subset of L^p . (Rudin: Real and Complex Analysis, Theorem 3.14)
Since $C_c(X)$ belongs to each L^p , we arrive to your conclusion – this is another possibility for the proof.
Martin

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◇ *From:* David C . Ullrich
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◇ *From:* Kira Yamato
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