

Re: Looking for Linear Stretch Constant for 1D Function

Source: <http://sci.tech-archive.net/Archive/sci.math/2005-07/msg02133.html>

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 - *Date:* Thu, 14 Jul 2005 17:13:59 GMT
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>> simplifying $d(f(t))/dt = f'(t)$
>> $k^4 * g''(k*t) - f''(t) = 0$
>
> Thanks. I'll remember that in future.
>
>> what are $g(t)$ and $f(t)$?
>
> They are vectors of real measurements with a lot of noise.

if there is a lot of noise differentiation is NOT the way to go
high frequency compounds have large derivatives
try reducing the high frequency noise by interpolating a smooth function
through the measurements with a bandwidth smaller than what you would expect
the system has
after that you can derive the $g(t)$ and $f(t)$ and solve the equation

or solve the integrated equation
 $k^2 * g(k*t) + k^3 * g'(0) + k^2 * g''(0) = f(t) + f'(0) + f''(0)$
but estimating the derivatives might not be easy too

> Consequently, $k^4 * g''(k*t) - f''(t) = 0$ is an ideal situation that is
> only an approximation in practice. k is constant with respect to t .
> However $f(t)$ and $g(t)$ will need to be measured across t in order to
> estimate k . It may be a type of vector correlation problem.

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◇ *From:* MajorSetback
 - *References:*
 - ◆ **[Re: Looking for Linear Stretch Constant for 1D Function](#)**
◇ *From:* MajorSetback

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