

# Re: Relative Cardinality

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- *From:* "Proginoskes" <[proginoskes@xxxxxxxxxxxxx](mailto:proginoskes@xxxxxxxxxxxxx)>
  - *Date:* 16 Jul 2005 21:35:08 -0700
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mueckenh@xxxxxxxxxxxxx wrote:

> Proginoskes wrote:

>

>>> I call  $10^{10^{10^{10^{10}}}}$  a number. In fact it is one of the smaller  
>>> numbers.

>>

>> You're trying to have your cake and eat it too, here. You want to say  
>> that you can make arbitrarily large numbers, but you also want to say  
>> that any number that requires more than  $10^{100}$  decimal digits isn't  
>> really a number.

>>

> No! No! No! There are numbers, perhaps even irrational ones (I have not  
> yet figured it out completely) which have never ending n-adic  
> expansions. One example is  $0.333\dots$ . We can determine each digit and  
> know all digits simultaneously.

In order to even talk about the notation  $0.333\dots$ , you need to have the concept of limits and sums of an arbitrarily large number of numbers. Since there are only a finite number of Muecken numbers, this means  $0.333\dots$  is undefined in your system, so you are not allowed to use it.

>> Let's define a WM-number to be one that can be expressed by writing  
>> digits on each piece of matter in the universe, and that there are M  
>> particles of matter in the universe. (We've been saying M is  $10^{100}$ ,  
>> but its exact value isn't important.)

>

> The digits need not be written down, if there is a simple rule to  
> describe them.

What do you mean by "a simple rule"? Give me a concrete definition.

>> THEOREM. There are only a finite number of WM-numbers.

>

> That is correct. There are at most  $10^{100}$  differ