

## Re: Noetherian??

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*Source:* <http://sci.tech-archive.net/Archive/sci.math/2005-07/msg04152.html>

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- *From:* quasi <[quasi@xxxxxxxx](mailto:quasi@xxxxxxxx)>
  - *Date:* Tue, 26 Jul 2005 16:54:34 -0700
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On Tue, 26 Jul 2005 16:44:56 -0700, quasi <[quasi@xxxxxxxx](mailto:quasi@xxxxxxxx)> wrote:

>Let  $T$  be the ring  $R+xR[x,y]$  and let  $J$  be  $xR[x,y]$  so  $J$  is an ideal of  
> $T$ . Does the ideal  $(x)$  in  $T$  contain the element  $xy$ ? If so, show it. If  
>not then  $(x)$  is a proper ideal of  $(x,xy)$  which is a subideal of  $J$ ,  
>where all ideals are viewed as ideals of  $T$ .

To correct the terminology, change the sentence:

>If not then  $(x)$  is a proper ideal of  $(x,xy)$  which is a subideal of  $J$ ,  
>where all ideals are viewed as ideals of  $T$ .

to this:

>If not, then the ideal  $(x)$  is a proper subset of the ideal  $(x,xy)$  which is a subset of the ideal  $J$ ,  
>where all ideals are viewed as ideals of  $T$

To say  $(x)$  is an ideal of  $(x,xy)$  is confusing since  $(x,xy)$  is just an ideal of  $T$ .

quasi

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Re: Noetherian??

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