

Re: infinity

Source: <http://sci.tech-archive.net/Archive/sci.math/2005-09/msg01568.html>

- *From:* Tony Orlow (aeo6) <aeo6@xxxxxxxxxxxx>
 - *Date:* Wed, 7 Sep 2005 13:52:48 -0400
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William Hughes said:

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> Tony Orlow (aeo6) wrote:

>> William Hughes said:

>>>

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>>>> William Hughes said:

>>>>>

>>>>> stephen@xxxxxxxxxxx wrote:

>>>>>> William Hughes <wpihughes@xxxxxxxxxxxx> wrote:

>>>>>>> Tony Orlow (aeo6) wrote:

>>>>>>>> No, it's really not. This problem is couched as an infinity problem. The
>>>>>>>> infinite set of natural numbers requires infinite values. Cantorian thought
>>>>>>>> purports to talk about infinity, but then limits itself to finite numbers so as
>>>>>>>> to avoid the topic. I said IF you limit yourself to finite numbers, THEN you
>>>>>>>> could have an empty vase at noon, although this answer still makes no sense
>>>>>>>> given the constantly increasing sum. This is one of the reasons NOT to limit
>>>>>>>> the naturals to finite values. There is no well-defined size of this set,
>>>>>>>> despite the fact that it must be finite, logically.

>>>>>>>

>>>>>>>> I assumed, wrongly, that you accepted the existence of the
>>>>>>>> finite integers. Your contention that "it [the size of this
>>>>>>>> set] must be finite, logically", is one of your strangest and
>>>>>>>> silliest. Why can't there be an infinite set of finite things?
>>>>>>>> Does the fact that we have an infinite number of ping pong
>>>>>>>> balls mean some of them must be of infinite size?. Yes, assuming
>>>>>>>> that there are a finite number of finite integers leads to a
>>>>>>>> contradiction, as there are clearly an infinite number of them.

>>>>>>>

>>>>>>>> Tony refuses to precisely define what he means by 'infinite'
>>>>>>>> or 'finite'. Apparently the set of finite integers is finite,
>>>>>>>> or perhaps it is undefined. I think Tony's math allows a set
>>>>>>>> to be neither finite or infinite.

>>>>>>>

>>>>>>>> Clearly the number of finite integers cannot be a finite
>>>>>>>> integer. Let F be the number of finite integers.
>>>>>>>> Tony agrees that if F is a finite integer, then F+1 is
>>>>>>>> a finite integer. That means that the set {1, 2, 3 F, F+1}
>>>>>>>> contains F+1 finite integers, which contradicts the claim

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>>>>> that there were F finite integers.
>>>>>
>>>>>
>>>>> This uses the fact that a finite set must have a largest element.
>>>>> TO (at least implicitly) does not accept this. According
>>>>> to TO
>>>>>
>>>>> –the set of finite integers contains a finite
>>>>> number of elements
>>>>>
>>>>> –there is no largest finite integer
>>>>>
>>>>> TO appears bothered by this contradiction, his conclusion is that
>>>>> the set of finite integers doesn't exist!
>>>>>
>>>>>> Perhaps in Tonymatics a set can still be finite even
>>>>>> if the number of the elements in the set is not finite.
>>>>>>
>>>>>>
>>>>>> Consistency is not TO's strong suit.
>>>>>>
>>>>>> –William Hughes
>>>>>>
>>>>>>
>>>>> The only contradiction arises from your obsession with a last element, and
>>>>> conflation of it with finiteness for a set. I do not accept that a last element
>>>>> necessarily indicates a finite set, therefore I see no contradiction between
>>>>> the set of finite naturals being finite and not having a last element.
>>>>
>>> As stated above I realize you believe that there are only a finite
>>> number of finite integers, and there is no largest finite integer.
>>> You avoid an explicit contradiction only by refusing to define what
>>> you mean by infinite. When I said that "TO appears bothered by this
>>> contradiction" I was referring to your statement "There is no
>>> well-defined size of this set [the finite integers]
>>> despite the fact that it must be finite, logically."
>>>>
>>>> –William Hughes
>>>>
>>>>
>> Why should a poorly defined set size necessarily be infinite? What is the
>> contradiction between saying the size is not well defined, although it is known
>> to be finite? The number of printed words on Earth is also known to be finite,
>> though not a well defined number, and without any upper bound.
>>
>> When I say a number is infinite, one definition might be to say that counting
>> to it, using a constant finite unit of time per iteration, would take forever.
>> I am not sure how to defined it to your satisfaction, but I think we all know
>> what we are talking about. A finite number is one we could count to, and an
>> infinite number is greater than any finite number.
>

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> This is not quite what we need. We need a way to tell if a set has
> a finite or infinite number of elements. We might use something like
> "if we remove one element using a constant finite unit of time per
> iteration,
> we will always exhaust a set with a finite number of elements,
> but never exhaust a set with an infinite number of elements".
> Unfortunately, this leads immediately to the observation that any
> set of integers with a finite number of elements has a largest element
> (just take any integer from the set, then take the rest one by one,
> always keeping the largest found so far. If the set has a finite
> number
> of elements this process must terminate. When it does you have your
> largest element). So with this definition either:
>
> -there are an infinite number of finite integers
>
> or
>
> -there is a largest finite integer
>
>
>> I think we agree that if x
>> and y are finite, then $x+y$, $x*y$, x^y are all finite.
>
> The trouble is that " x,y finite implies $x+y$ finite" leads immediately
> to the fact that the sum of a finite number of integers is finite.
> So:
>
> Let K be the set of finite integers. Assume K has a finite number of
> elements. Let n be the sum of all the elements of K . Then n is a
> finite integer. But n is not an element of K . Contradiction.
> Therefore K has an infinite number of elements [1]
>
> -William Hughes
>
> [1] this specific argument was presented by Daryl McCullough
>
>
Yes, I saw it. It's basically the "largest finite" argument. If I claim n is
the largest finite I get a contradiction too. This comes from any claim to have
identified and enumerated all the finite naturals, since for any one you
identify, you can always identify a larger one. The set is unbounded, but not
infinite unless it has infinite elements.

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Smiles,

Tony

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- *Follow-Ups:*
 - ◆ *Re: infinity*
 - ◇ *From:* Virgil
 - ◆ *Re: infinity*
 - ◇ *From:* William Hughes

- *References:*
 - ◆ *Re: infinity*
 - ◇ *From:* William Hughes
 - ◆ *Re: infinity*
 - ◇ *From:* aeo6
 - ◆ *Re: infinity*
 - ◇ *From:* William Hughes

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