

Re: infinity

Source: <http://sci.tech-archive.net/Archive/sci.math/2005-09/msg02219.html>

- *From:* stephen@xxxxxxxxxx
 - *Date:* Fri, 9 Sep 2005 21:17:18 +0000 (UTC)
-

Tony Orlow (aeo6) <aeo6@xxxxxxxxxx> wrote:
> stephen@xxxxxxxxxx said:
>> Tony Orlow (aeo6) <aeo6@xxxxxxxxxx> wrote:
>>> stephen@xxxxxxxxxx said:
>>>> I do not think that matters. Suppose that
>>>> $F = \sum S^k$ for all not imponderably enormous k
>>>> and that F is not imponderably enormous.
>>>>
>>>> Then
>>>> $F = F + (\sum S^k \text{ for all not imponderably enormous } k \ll F)$
>>>>
>>>> Presumably if F is not imponderably enormous than we can
>>>> safely subtract it from both sides. So
>>>> $0 = (\sum S^k \text{ for all not imponderably enormous } k \ll F)$
>>>>
>>>> Well 1,2,3, etc are all not imponderably enormous, and
>>>> $S^1 + S^2 + S^3 > 0$
>>>> for $S > 0$.
>>>>
>>>> Tony is basically claiming that "finite" numbers exist
>>>> that are greater than the sum of all "finite" numbers,
>>>> including themselves. This is going to be problematic
>>>> for whatever definition of "finite" you plug in.
>>>>
>>>> Stephen
>>>>
>>> I am claiming no such thing. You are the one supposing a largest finite in your
>>> stuff above, hence the contradiction. I never claimed to have any number for
>>> the sum of all finite numbers.
>>
>> You claimed that the sum of all finite numbers was finite.
>> Is the sum of all finite numbers somehow finite, but it is
>> not a number? With you I suppose anything is possible.
>>
>> Stephen
>>
> Is the largest finite finite, but not a number? Answer your own questions for
> once.

Re: infinity

The largest finite does not exist. Therefore it is not finite.
Just as the smallest even prime larger than 2 is not even,
nor is it prime, nor is it larger than 2.

> I have already shown that the largest finite natural and the size of the
> set of finite naturals are one and the same number. Does one exist while the
> other doesn't?

You have not shown that. You proved that all cats were grey
and then concluded that your dog was grey. Your argument
was:

all sets of the form $\{ 1, 2, \dots, n \}$ have a largest
member n , and the size of the set is n

the set $\{ 1, 2, 3, \dots \}$ does not have a largest member

therefore the size of $\{ 1, 2, 3, \dots \}$ equals its largest member

That looks a lot like

all cats are grey

rover is a dog

therefore rover is grey

Anyway, you now seem to at least recognize that a largest finite
is critical to all of your arguments as you lately have been
defending the existence of the largest finite. I am not sure if
that is progress or not.

Stephen

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• *Follow-Ups:*

◆ **Re: infinity**

◇ From: David Kastrup

• *References:*

◆ **Re: infinity**

◇ From: stephen

◆ **Re: infinity**

◇ From: aeo6

◆ **Re: infinity**

◇ From: Dik T. Winter

◆ **Re: infinity**

◇ From: stephen

◆ **Re: infinity**

◇ From: imaginatorium

Re: infinity

- ◆ **Re: infinity**
 - ◇ From: stephen
- ◆ **Re: infinity**
 - ◇ From: ae06
- ◆ **Re: infinity**
 - ◇ From: stephen
- ◆ **Re: infinity**
 - ◇ From: ae06

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- Next by Date: **Re: No homeomorphism $(0,1) \leftrightarrow [0,1]$**
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