

Re: infinity

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- *From:* Tony Orlow <aeo6@xxxxxxxxxxxx>
 - *Date:* Fri, 14 Oct 2005 12:53:54 -0400
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Daryl McCullough said:

> Tony Orlow says...

>

>>No, you are equating "x is larger than any finite I specify" with

>>"x is larger than ALL finite values."

>

> That's because they mean the same thing. If x is not larger

> than *ALL* finite values, that means that there is some

> finite value that is larger than x. Call that value K.

> x is *not* larger than K, so x is not larger than any

> value I can specify.

>

>>When you state the first, I say that doesn't mean x is

>>infinite

>

> Yes, it does. If x is finite, then x+1 specifies a number

> that is larger than x. So if x is finite, then it is *false*

> that x is larger than any number you can specify.

>

> Think about it: I write some number down on a piece of

> paper. I don't tell you what it is, but I tell you that

> it is larger than any finite number you can name. If

> what I wrote down was a finite number, then what I said

> was *false*; if what I wrote down was a finite number,

> then you can name a number that is 1 bigger than the

> one I wrote down.

Right, for any number I choose, you can always find a larger one, which is also finite. That is the crux of your argument, to which I am responding.

>

> The only way for me to make sure that my number is bigger

> than any finite number you can name is if my number is

> infinite.

Right, but why do you want a number BIGGER than all the differences in the set, or BIGGER than all the values in the set? Are you trying to find a number that is BIGGER than the size of the set?

>

>>It doesn't prove that value is infinite, just that it's bigger

>>than any finite you specify.

>

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> If x is a finite number, then " $x+1$ " specifies a finite number bigger
> than x . So if x is a finite number, it is *false* that it is
> impossible to specify a finite number bigger than x .

Right, for any GIVEN finite x , there is a y that is greater and finite. That
doesn't make y infinite, and it doesn't make the range infinite if for any
given finite range you can name a larger one either. If you want to say that
issue makes the largest element nonexistent, then in the name of consistency,
say the size of the set is also.

>

>>> If X is greater than any finite number, then X cannot be
>>> finite. You claim this is false, but your argument only
>>> makes sense if you change the orders of the quantifiers.
>>No, if you say " x is greater than EVERY finite number", THEN it's infinite.

>

> That's what people are saying. The set of all finite naturals
> has a size that is greater than *every* finite number.

No, it has a size equal to its largest element, which is finite. If you start
at 0, it has a size one greater, but still finite. For any finite natural you
choose, there is only a finite set of predecessors. There is no infinite set.
We have established that. This is bellyaching.

>

>>This is equivalent to saying, for any specific finite x , the set
>>size y is larger than x . If the statement were that the set size
>>is larger than EVERY finite value

>

> Look, if y is a finite number, then $y+1$ specifies a finite number
> that is greater than y . So if y is a finite number, then it is
> *false* that you can't specify a finite number greater than y .

Yes, and?

>

> What you seem to be saying is that y isn't actually a number,
> but is some kind of placeholder for a number. It's a variable,
> together with a set of constraints on it. So if I guess

>

> "Is y equal to 15?"

>

> then you say "No, it's larger than 15" and you write down
> the constraint " $y > 15$ ". If I guess "Is y equal to 1 billion?"
> then you say "No, it's larger than 1 billion". and you write
> down the constraint " $y > 1$ billion".

No, y is the largest non-infinite. $y < \infty$.

>

>>> It might help you if you "Skolemize" the formulas.

>>> 'for any finite Y there is a finite X greater than Y '

>>> would become something like

>>> 'there exists a function f such that for any finite Y

>>> $f(Y)$ is finite and $f(Y) > Y$ '

>>> This might help you from continually making the mistake

>>> of thinkg that there is a single entity X that is greater

>>> than any Y .

>>Ummmm, isn't that what YOU are saying, when you say the set size

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> > is larger than any/every finite natural? Isn't X your set size?

>

> No, he's saying that the set size is aleph_0, which is larger

> than *every* finite number.

According to the pattern, if you start with 0, the set size is the largest element, plus 1. This system of limit ordinals is a distraction from the facts.

>

> --

> Daryl McCullough

> Ithaca, NY

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>

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Smiles,

Tony

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• *Follow-Ups:*

◆ *Re: infinity*

◇ *From:* Daryl McCullough

• *References:*

◆ *Re: infinity*

◇ *From:* Jonathan Hoyle

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