

# Re: Beal's conjecture

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- *From:* "Chip Eastham" <[hardmath@xxxxxxxxx](mailto:hardmath@xxxxxxxxx)>
  - *Date:* 2 Mar 2006 12:33:54 -0800
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stush@xxxxxxxxxxxxxxxxx wrote:

Roman B. Binder wrote:

Also, it does not deserve the name 'Beal Conjecture'. The extension from the Fermat conjecture to one of unequal exponents is one that is obvious to any number theorist. And Mr. Beal isn't even a mathematician.

At a number theory conference in Arcata California in 1985, I was present when John Tate gave a terrific presentation of the (then brand new) connection between Taniyama-Shimura and FLT that was given by Frey's work. Tate mentioned that there were a couple of obstacles, including a conjecture of Serre, (proved by Ken Ribet) that stood in the way. At the end of the talk a member of the audience asked the question: Does the result also apply to the case of unequal exponents?

Posing the question in such a casual manner shows that the conjecture is rather obvious.

If anything, whoever posed the question is more deserving to have the conjecture named after him. I wish I could remember who it was.

Re: Beal's conjecture

Hi,

Fermat used to express some kind of marvelous demonstration to the case of powers bigger than 2.

Is it written in his statement, that such powers should be equal ?

There is really something unexpected and common for equal and not equal powers bigger than 2.

I used to come back to some trivial transformation and just noticed once overlooked link to proof.

It looks there for very significant simplifications of this conjecture and why: plotted parameter shows to be just rational number...

Ro-bin

P.S. Please do not mix me so much with my previous errors: my properties to square determinants falls to factorization of  $X=mk$  but  $k=1...$  if anybody used to read my previous posts...

I looked at two sources and the conjecture can be read one of two ways:

(1)  $a^x + b^y = c^z$  and  $x,y,z > 2$  implies  $a,b$ , and  $c$  have a common factor  $d > 1$

(2)  $a^x + b^y = c^z$  and  $x,y,z > 2$  implies  $(a,b)$ ,  $(a,c)$ , and  $(b,c)$  are not all 1.

Which is correct?

I believe these are equivalent. Suppose  $a,b$  have a common prime factor. Then this prime divides  $c^z$  and hence must divide  $c$  also.

Similarly for any common factor of  $a,c$  or  $b,c...$

regards, chip

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