

Re: An uncountable countable set

> coincide with the 1's of n.

Right. But this does *not* prove that there is an n that is equal to K.

To reformulate clearly

For all p there is an n such that $A_n[p] = K[p]$

This was not entirely correct:

For all p there is an n_0 such that for all $n \geq n_0$ $A_n[p] = K[p]$.

this does *not* imply that

There is an n such that for all p $A_n[p] = K[p]$,

which is what you are arguing.

Pray explain how you come (in logical steps) from the first statement to the second.

Note that when we expand the A_n 's with an infinite (countable, mind) sequence of digits 0 we can do something different. After the decimal point we change each 0 to 1 and each 1 to 0. We get the following sequence:

$A_0 = 0.11111111...$

$A_1 = 0.01111111...$

$A_2 = 0.00111111...$

and so

$K = 0.000000...$

Now we see:

For all p there is an n_0 such that for all $n \geq n_0$ $A_n[p] = K[p]$.

and your claim is that from that it follows that

There is an n such that for all p $A_n[p] = K[p]$,

But as $A_n = 1/(9 \cdot 10^n)$, this would imply that K (the limit of the sequence) must be in the list and for some n, A_n must be 0.

So, are you now arguing that the limit of a sequence is an element of that sequence? Or what else? And if so, for what natural number (eh, finite...) is $1/(9 \cdot 10^n)$ equal to 0?

dik t. winter, cwi, kruislaan 413, 1098 sj amsterdam, nederland, +31205924131
home: bovenover 215, 1025 jn amsterdam, nederland; <http://www.cwi.nl/~dik/>

.