

Re: An uncountable countable set

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- *From:* Tony Orlow <aeo6@xxxxxxxxxxxx>
 - *Date:* Wed, 23 Aug 2006 18:04:07 -0400
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MoeBlee wrote:

Albrecht wrote:

There is no relevance in which system the axiom is found.
E.g. the Axiom A: "Axiom A is wrong", is self contradicting, regardless of which other axioms are used, I think. The same holds for the axiom of infinity.

You miss the point. Since you've not shown any contradiction in set theory, whatever contradiction you claim to have found must be a contradiction between set theory and something else outside of set theory. But if you can't articulate that something else as a mathematical formula, then no one much cares that set theory conflicts with your not mathematically articulated principles.

Hi MoeBlee – How are you?

Set theory contradicts with:

(1) $\exists y \in \mathbb{N}, \exists x > y, x < 2^*x < x^2 < 2^x$ ($y=2$)

because:

(2) $\forall y \in \mathbb{N}, \aleph_0 > y$

and

(3) $\aleph_0/2 = \aleph_0 = \aleph_0^2 < 2^{\aleph_0}$

(1) is trivially inductively provable.
(2) and (3) are from transfinite arithmetic.

So I take it from your response that you don't have a set of axioms for your mathematics. So I wonder how you expect people to evaluate whether

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something is or is not a theorem of your mathematics.

Can you evaluate the relationship between the above three statements?

MoeBlee

Thanx,

Tony

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