

Re: define the division of X/Y

Source: <http://sci.tech-archive.net/Archive/sci.math/2006-10/msg02849.html>

- *From:* schoenfeld.one@xxxxxxxxxx
 - *Date:* 10 Oct 2006 21:22:24 -0700
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Proginoskes wrote:

schoenfeld.one@xxxxxxxxxx wrote:

Proginoskes wrote:

Mike wrote:

where X and Y are two random variables...

What is the precise and rigorous condition on Y to avoid the "dividing by zero" problem?

Hmm. Making sure Y is nonzero would do it.

Making the probability that Y is zero equal to zero might also do it.

That's an insufficient condition.

The probability of drawing 5 out of the Naturals is 0.

What distribution are you using?

The probability of drawing a 0.5 out of the set [0,1] is 0. It does not mean that they cannot ever be drawn.

But things such as the expected value (and moments) can still be calculated if the probability of dividing by zero is 0.

Re: define the division of X/Y

And I did NOT mean that "probability of event $E = 0$ " is the same as "E cannot happen". The more precise statement of my intention was: "Y is nonzero almost everywhere".

If $P(Y = 0) = 0$ does not imply that X/Y is well defined for all X in Reals, Y in Reals, then how $P(Y=0)=0$ help with the OP's question?

--- Christopher Heckman

,
mailx oracle@xxxxxxxxxxxxxxxx
Subject: Division by Zero

I swear, these humans are getting dumber by the minute ...

--- C