

Re: FLTMA: A little group theory

Source: <http://sci.tech-archive.net/Archive/sci.math/2006-10/msg06632.html>

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 - *Date:* 24 Oct 2006 08:15:22 -0700
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The Dougster wrote:

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Ah. The order of -1 is 2. $|-1| = 2$. $\langle -1 \rangle = \{ -1, 1 \}$.

How do we know that if $w^n \equiv -1 \pmod{z}$ that $|-1|$ divides $|w|$?

Since $\langle -1 \rangle$ is a subgroup of $\langle w \rangle$, order of -1 (two) divides the order of w .

Yipee! We're starting to use group theory to explore FLT!

<http://www.mathpages.com/home/kmath264.htm>

I think I see this more clearly today. If some power of $w \equiv -1 \pmod{z}$ then, knowing $w^0 = 1$, we have $\{ 1, -1 \} \leq \langle w \rangle$ and so $|-1|$ divides $|\langle w \rangle|$, where \leq means "is a subgroup of".

I see in many sources on the web that without loss of generality, certain conclusions may be made from $a^n + b^n = c^n$ in \mathbb{Z} . I have concluded, with help here in sci.math, that exactly one of $\{x, y, z\}$ is

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even, and $x < y < z < x+y$. It might be more useful to give up $x < y < z < x+y$ and find instead that, say, y is even, as some