

# Re: Review of Mueckenheims book.

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- *From:* [mueckenh@xxxxxxxxxxxxxxxxxxxx](mailto:mueckenh@xxxxxxxxxxxxxxxxxxxx)
  - *Date:* 1 Mar 2007 09:58:47 -0800
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On 1 Mrz., 03:38, "Dik T. Winter" <Dik.Win...@xxxxxx> wrote:

In article <1172674257.469668.135...@xxxxxxxxxxxxxxxxxxxxxxxxxxxxxxxxxxxx>  
mueck...@xxxxxxxxxxxxxxxxxxxx writes:

- > On 26 Feb., 04:14, "Dik T. Winter" <Dik.Win...@xxxxxx> wrote:
- >>> Definition: The cross-section  $C(n)$  of a finite tree  $T(n)$  is the number
- >>>  $2^n$  of nodes of its last level  $L(n)$ .
- >>
- >> Obfuscations abound. So  $C(n)$  is the number of nodes that are at
- >> distance  $n$  from the root.
- >
- > Correct, namely the maximum of paths which can be separated in this
- > tree  $T(n)$ .

Yes, as each path terminates at such a node. You again add obfuscation.

- >>> The cross section  $C(\infty)$  of the union of finite trees  $U(T(n))$  is  $C(\infty)$
- >>>  $= |2^\omega| = \aleph_0$ .
- >>
- >> Proof, please. And how do you \*define\*  $C(\infty)$ ?
- >
- > I do not define  $C(\infty)$ . We are talking about the union of finite trees
- > It does not contain a Level  $n = \infty$  or tree  $T(\infty)$ .

How can you state things about things you do not define? You state  $C(\infty)$  as being something, but you do not define  $C(\infty)$ ?

I do not define  $C(\infty)$  \*starting from the complete tree\*  $T(\infty)$  but using the union  $U(T(n))$  of the finite trees, (because it is in question whether  $T(\infty) = U(T(n))$ ).

- > Then you see that the cross section of the
- > union tree  $U(T(n)) = T(\infty)$  is  $C(\infty) = \aleph_0$ .

What can I see if you even do not give a definition of your terminology?

Re: Review of Mueckenheims book.

>>> Proof: Left as an exercise to the reader. [Hint: Consider the proof of  
>>> the countability of the set of all unit fractions required to prove  
>>> the divergence of the harmonic series:  
>>>  $1/2 + (1/3 + 1/4) + (1/5 + 1/6 + 1/7 + 1/8) \dots$   
>>> or consider the cardinal number of nodes of the union of finite  
>>> trees.]  
>>  
>> Is this a proof? For the divergence of the harmonic series, countability  
>> plays no role. It is just a lack of proof.  
>  
> You misunderstood. There is the saying that aleph\_0 parentheses result  
> in aleph\_0 terms in parentheses although for every finite segment of n  
> pairs of parentheses we have  $2^n$  terms in the last pair of  
> parentheses.

I can say nothing about such a saying.

The harmonic series as split off in Oresmes proof is isomorphic with  
the binary tree:

1  
1/2  
1/3, 1/4  
1/5, 1/6, 1/7, 1/8  
1/9, ..., 1/16  
....

Regards, WM

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