

Re: Review of Mueckenheims book.

Source: <http://sci.tech--archive.net/Archive/sci.math/2007-03/msg00301.html>

- *From:* "Dik T. Winter" <Dik.Winter@xxxxxx>
 - *Date:* Fri, 2 Mar 2007 03:20:55 GMT
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In article <1172771927.176281.193980@xx>
mueckenh@xxxxxxxxxxxxxxxxxxxx writes:

On 1 Mrz., 03:38, "Dik T. Winter" <Dik.Win...@xxxxxx> wrote:

....

- >>> The cross section $C(\infty)$ of the union of finite trees $U(T(n))$ is
- >>> $C(\infty) = |2^\omega| = \aleph_0$.
- >>
- >> Proof, please. And how do you *define* $C(\infty)$?
- >
- > I do not define $C(\infty)$. We are talking about the union of finite trees
- > It does not contain a Level $n = \infty$ or tree $T(\infty)$.

How can you state things about things you do not define? You state $C(\infty)$ as being something, but you do not define $C(\infty)$?

I do not define $C(\infty)$ *starting from the complete tree* $T(\infty)$ but using the union $U(T(n))$ of the finite trees, (because it is in question whether $T(\infty) = U(T(n))$).

So, my question remains, how do you *define* $C(\infty)$? Until now I have not yet seen a definition. But you are now apparently stating that $T(\infty) \neq U(T(n))$? Because I state they are equal.

- > You misunderstood. There is the saying that \aleph_0 parentheses result
- > in \aleph_0 terms in parentheses although for every finite segment of n
- > pairs of parentheses we have 2^n terms in the last pair of
- > parentheses.

I can say nothing about such a saying.

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The harmonic series as split off in Oresmes proof is isomorphic with the binary tree:

I do not ask about that, I ask about the saying, and where it comes from.

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