

Re: Cantor Confusion

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- *From:* mueckenh@xxxxxxxxxxxxxxxxxxxx
 - *Date:* 16 Mar 2007 07:23:21 -0700
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On 16 Mrz., 15:15, Carsten Schultz <cars...@xxxxxxxx> wrote:

mueck...@xxxxxxxxxxxxxxxxxxxx schrieb:

On 16 Mrz., 14:35, Carsten Schultz <cars...@xxxxxxxx> wrote:

mueck...@xxxxxxxxxxxxxxxxxxxx schrieb:

On 16 Mrz., 01:31, Virgil
<vir...@xxxxxxxx> wrote:

In article
<1173954799.919385.61...@xxxxxxxxxxxxxxxxxxxxxxxxxxxxxxxx>,
For even binary trees (
where even here means all
paths are of equal
length),

Only those are under discussion here.

the number of paths
increases exponentially with
number of
levels (lengths of a path).
Adding 1 to the number of
levels doubles the
number of paths.

The tree is
continuous
because its
nodes are

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connected
by paths.

That is a distinctly
non-standard meaning for
"continuous" in
mathematics.

It shows, however, that the number of paths
cannot jump from finite to
uncountable.

Using a word does not constitute proof.

And indeed $\sup_{n < \aleph_0} 2^n = \aleph_0 < 2^{\aleph_0}$,
so in this sense the function $n \mapsto 2^n$ is not
continuous. If
you can prove (not claim!) by using your tree that it is, then
you will
finally have succeeded in showing that ZF is inconsistent.

Have fun,

I had already quite a lot.

I can imagine.

The function of all cross sections, $f: n \mapsto 2^n$, is "continuous" in
the sense that never a jump by more than a factor 2 can occur because
the nodes of the tree are connected by an untearable network. The
domain is the same as the range, namely \mathbb{N} . That is fact, not by claim
but by construction of the tree. That's why I constructed it.

You constructed the tree to show that $2^{\{n+1\}} \leq 2 \cdot 2^n$? Well, that
really must have been fun. Ok, I agree on this. Now we know a property
of the function

$f: \mathbb{N} \rightarrow \mathbb{N}$
 $n \mapsto 2^n$.

This does not tell us anything about 2^{\aleph_0} .

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\aleph_0 is not a natural number.

Don't mistake the infinite number of finite paths with infinite paths. In the union of all finite trees every path has a finite length, given by a natural number of nodes. Presently we are considering the union of all such finite paths. (The union of all finite natural numbers is an infinite union – nevertheless this union contains only finite numbers.)

Regards, WM

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