

Re: Cantor Confusion

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- *From:* Virgil <virgil@xxxxxxxxxxx>
 - *Date:* Fri, 16 Mar 2007 14:18:09 -0600
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In article <1174054064.244699.153490@xx>, mueckenh@xxxxxxxxxxxxxxxxxxx wrote:

On 16 Mrz., 14:35, Carsten Schultz <cars...@xxxxxxxxxx> wrote:

mueck...@xxxxxxxxxxxxxxxxxxx schrieb:

On 16 Mrz., 01:31, Virgil <vir...@xxxxxxxxxxx> wrote:

In article
<1173954799.919385.61...@xx>,

For even binary trees (where even here
means all paths are of equal
length),

Only those are under discussion here.

the number of paths increases exponentially
with number of
levels (lengths of a path). Adding 1 to the
number of levels doubles the
number of paths.

The tree is continuous

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because its nodes are
connected by paths.

That is a distinctly non-standard meaning
for "continuous" in
mathematics.

It shows, however, that the number of paths cannot jump
from finite to
uncountable.

Using a word does not constitute proof.

And indeed $\sup_{n < \aleph_0} 2^n = \aleph_0 < 2^{\aleph_0}$,
so in this sense the function $\kappa \mapsto 2^\kappa$ is not continuous. If
you can prove (not claim!) by using your tree that it is, then you will
finally have succeeded in showing that ZF is inconsistent.

Have fun,

I had already quite a lot.

The function of all cross sections, $f: n \mapsto 2^n$, is "continuous" in
the sense that never a jump by more than a factor 2 can occur because
the nodes of the tree are connected by an untearable network.

Following WM's argument, $g: n \mapsto n$ is even more continuous in that it
can never "jump" by a difference of more than 1, so can never become
infinite at all. Thus WM's "untearable" network can never represent
anything but strictly finite trees, unless he is wrong about them.

The
domain is the same as the range, namely \mathbb{N} .

The range of $f: n \mapsto 2^n$ can never be the same as the domain, unless
both are empty.

That is fact, not by claim
but by construction of the tree. That's why I constructed it.

A construction which requires \mathbb{N} for both the domain and range of
 $f: n \mapsto 2^n$ is fatally flawed.

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And this is equally true whether one uses the definition of function favored by Moblee or that favored by me.

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