

Re: V

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- *From:* MoeBlee <jazzmobe@xxxxxxxxxxxx>
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On Jun 1, 7:57 am, zuhair <zaljo...@xxxxxxxxxx> wrote:

On Jun 1, 12:28 am, MoeBlee <jazzm...@xxxxxxxxxxxx> wrote:

On May 31, 9:28 pm, zuhair <zaljo...@xxxxxxxxxx> wrote:

VI for each vector $I=i_1i_2i_3\dots$
where i_j in $I=1,2,3,\dots$ and $j=1,2,3,\dots$

I don't know what you mean by that.

Do you intend to have an uncountable set of constants? If so, then your theory is not recursively axiomatized.

NO, I intend to have w^w set of constants, which is countable. (the exponentiation in w^w is ordinal exponentiation and not cardinal exponentiation so w^w is a countable ordinal, i.e we have a countable set of constants)

The constant V_i is one dimensional.
while the constant V_{i_j} is two dimensional
Now i is called the first dimension
while j is the second dimension
Instead of this i,j notation I use an index
on i so I symbolize V_{i_j} as
 $V_{i_1i_2}$. This way is more practical if we have
a lot of dimensions.
In general a constant with n -dimensions is written as

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$V_{i_1 i_2 i_3 \dots i_n}$

You can write the constant V that is omega dimensional as

$V_{i_1 i_2 i_3 \dots}$

Now for each natural number j we have the i_j as jth dimension of V, so i_1 is the first dimension and i_2 is second dimension, now since for each natural number j we have a dimension i_j then we have omega of dimensions.

However for ease I symbolize $i_1 i_2 i_3 \dots$ as I

so $I = i_1 i_2 i_3 \dots$

so $V_{i_1 i_2 i_3 \dots}$ is symbolized as VI for short.

Of course each dimension i_j is equal to a natural number so i_1 for example can take the values of 1 or 2 or 3 or...

so I symbolize this as

for each i_j there is a natural number n such that $i_j = n$

so for example we can have the constant

$V_{1_1 1_1 \dots}$ where every dimension i_j is 1 in value.

the next constant is

$V_{2_1 1_1 1_1 \dots}$ in this constant we have $i_1 = 2$

and $i_n = 1$ for every $n > 1$

The third constant would be

$V_{3_1 1_1 1_1 \dots}$

so $i_1 = 3$ and $i_n = 1$ for every $n > 1$

and so on for all values of i_1

so we will have w of the constants

as indexed above.

These constants as indexed above are called constants of the first degree, because only the first dimension is varying in them and the rest of the dimensions has the same value that is 1.

Then we begin with the second degree

constants where i_1 and i_2 values are varying

and $i_n = 1$ for $n > 2$.

as above beginning with the $i_2 = 2$ and $i_n = 1$ for $n > 2$, so we will have

$V_{1_2 1_1 1_1 \dots}$

$V_{2_2 1_1 1_1 \dots}$

$V_{3_2 1_1 1_1 \dots}$

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Now we will have Ω of constants
for each $i_2=2$
then we start varying i_2 to be equal to 3
and we vary values of i_1 over them
so we will have ω of i_1 varying and $i_2=3$
and so on for every value of i_2
so we will have ω^2 constants of second
degree.

Similarly constants of the third degree are defined
as those in which the first three dimensions vary
and $i_n=1$ for $n>3$
so the total number of these would be Ω^3

So for we have Ω^n for each n -degree constant.

so at the end continuing this process we end with the following:

Total number of VI constants is

$\Omega + \Omega^2 + \Omega^3 + \dots + \Omega^n + \dots$

Now we have a countable number of terms Ω^n , since for each n
there is Ω^n
and each term is countable since
 ω^n is countable
THEN the total sum is countable.

So we don't have an uncountable number of VI constants.
But Perhaps I was wrong when I said it was equal to
 w^w , but I thought so.

I would like to know what is the ordinal number for the sum above.

Or do you intend to have a countable set of constants but each one
indexed by an ordered pair of natural numbers? In that case, all you
need to say is that for each i and j that are natural numbers, $V_{i,j}$
is a constant.

NO.

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Or maybe you mean something else, in which case it would help if you'd make it clear.

Yes , see above.

I can barely make sense any of that. You're presupposing ordinal arithmetic just to stipulate a certain denumerable set of constants. I'd suggest considering looking for ways to simplify, since it seems to be quite a lot if you need ordinal arithmetic just to specify the symbols of your language.

MoeBlee

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