

Re: ** says: Definition: $\sum\{i \text{ in } \mathbb{N}\} i = 0$

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- *From:* WM <mueckenh@xxxxxxxxxxxxxxxxxxxxx>
 - *Date:* Thu, 28 Jun 2007 01:44:35 -0700
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On 28 Jun., 08:02, Virgil <vir...@xxxxxxxxxxxxx> wrote:

In article <1183009493.535511.143...@xxxxxxxxxxxxxxxxxxxxxxxxxxxxxxxxxxxx>,

WM <mueck...@xxxxxxxxxxxxxxxxxxxxx> wrote:

On 27 Jun., 19:43, Virgil <vir...@xxxxxxxxxxxxx> wrote:

In article
<1182933394.549064.286...@xxxxxxxxxxxxxxxxxxxxxxxxxxxxxxxxxxxx>,

WM <mueck...@xxxxxxxxxxxxxxxxxxxxx> wrote:

The Binary Tree

Let $[x] = n \leq x$ such that $n + 1 > x$, i.e. n is the largest integer $\leq x$.

Let $]x[= n \geq x$ such that $n - 1 < x$, i.e. n is the smallest integer

$= x$.

Level

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|0 0.
|/\
|1 0 1
|/\ /\
|2 0 1 0 1

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Re: ** says: Definition: $\sum_{i \in \mathbb{N}} i = 0$

$\bigwedge_{x \in \mathbb{N}}$

At height x the number of nodes is $K(x) = 2^{x+1} - 1$.

At height x the number of separated path bunches is $P(x) = 2^x$.

At level n , as indicated above, the number of paths in the finite tree that ends at level n is $\text{Card}(P(\{x \in \mathbb{N} \setminus \{0\} : x < n\}))$

Thus the number in the infinite tree is $\text{Card}(P(\mathbb{N}))$

In height x the quotient $P(x)/K(x) = 2^x / (2^{x+1} - 1)$

In the whole tree we can estimate $P/K = \lim_{x \rightarrow \infty} (2^x / (2^{x+1} - 1)) < 2$.

The ratio only holds for finite trees, In an infinite tree there is a different path for each different subset of \mathbb{N} , so the number of paths equals the number of subsets of \mathbb{N} , which is greater than the number of elements of \mathbb{N} .

Would you agree that this result is correct although there is not a limit in the usual sense.

I would agree that there is one path for each subset of \mathbb{N} .

Re: ** says: Definition: $\sum_{i \in \mathbb{N}} i = 0$

Or would you prefer to say that because of the quotient is alternating between the epsilon surrounding of $1/2$ and the epsilon surrounding of 1 the true result is 2^{\aleph_0} ?

Since I see the reality of a bijection between the set of paths and the set of subsets of \mathbb{N} , I say the result must be larger than $\text{Card}(\mathbb{N})$

That means
$$P/K = \lim_{x \rightarrow \infty} \frac{(2^x)^x}{(2^{x+1} - 1)} > 2$$

or set theory is selfcontradictory.

It only means that, as usual, WM has the wrong end of the stick.

WM is claiming that a rule that only applies to some paths because they have leaf nodes must apply to paths not having leaf nodes also.

First: I consider every path, including such which do not end, by $]x[$.

Second: All paths, except some divine ones, consist of nodes.

Third: My consideration does not end, is not restricted to leaves, but concerns the limit $x \rightarrow \infty$.

Regards, WM

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