

# Re: \*\* says: Definition: $\sum\{i \text{ in } N\} i = 0$

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- *From:* WM <[mueckenh@xxxxxxxxxxxxxxxxxxxxx](mailto:mueckenh@xxxxxxxxxxxxxxxxxxxxx)>
  - *Date:* Fri, 06 Jul 2007 01:26:11 -0700
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On 6 Jul., 04:08, "Dik T. Winter" <[Dik.Win...@xxxxxx](mailto:Dik.Win...@xxxxxx)> wrote:

In article <1183441649.404036.29...@xxxxxxxxxxxxxxxxxxxxxxxxxxxxx> WM <[mueck...@xxxxxxxxxxxxxxxxxxxxx](mailto:mueck...@xxxxxxxxxxxxxxxxxxxxx)> writes:

> On 3 Jul., 04:37, "Dik T. Winter" <[Dik.Win...@xxxxxx](mailto:Dik.Win...@xxxxxx)> wrote:

...

>>> The declaration of 0 as a natural number.

>>

>> Again, nothing more than opinion. Moreover, they are not the only ones

>> who do that.

>>

> If you can't see the facts supporting this opinion (discovery of 0

> much later than discovery of genuine natural numbers) then further

> discussion is meaningless.

So in giving names in mathematics you should consider history, otherwise you are wrong? Sorry, in mathematics a term defines just what is given in its definition. Nothing more, nor less. And different people give the same name to different things.

The name is at least part of the definition because all definitions consist of words many of which are names for notions. So it would make mathematics unnecessary complicated if every name meant the opposite of its usual meaning.

>> Yes, especially your abuse.

>

> If you can't see the facts supporting my discovery ( $\lim_{x \rightarrow \infty} P(x)/K(x)$  in the binary tree) then further discussion is meaningless.

>  $\lim_{x \rightarrow \infty} P(x)/K(x)$  in the binary tree) then further discussion is meaningless.

Yes, it is meaningless because you do not see that that limit is \*not\* the necessary value.

The limit is not necessary the value, but for continuous functions it is.  $\lim_{x \rightarrow 0} \sin x/x = 1$  unless you define another value at  $x = 0$  and by that make the function discontinuous. The paths of the tree are

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continuous, however. Therefore the limit  $P(x)/K(x)$  is the only possible choice.

But the problem is the same as with  $\text{Sum}(\mathbb{N})$ . If you insist that it could be 0, then you can prove everything you desire, including the existence of more paths than nodes in the tree.

>>> Your assertion is wrong, because an identity implies that both parts  
>>> are simultaneously defined or both are undefined.  
>>>  
>>>  $\text{SUM}_{[n = 1 \text{ to } \infty]} a_n == \text{LIM}_{[k \rightarrow \infty]} \text{SUM}_{[n = 1 \text{ to } k]} a_n$   
>>  
>> But in that case there *must* be a definition of the left-hand side without  
>> reference to the right hand side.  
>  
> The left hand side is an abbreviation of the right hand side.

Wrong. It is only an abbreviation of the right hand side when the right hand side is defined.

But it is defined. Compare Springer online or any other good book on analysis.

>> But whatever, this make  
>>  $\sum\{n = 1.. \infty\} n$   
>> undefined because  
>>  $\lim\{k \rightarrow \infty\} \sum\{n = 1..k\} n$   
>> is undefined in ordinary mathematics. In H&J the "sum" above is *not*  
>> defined using limits.  
>  
>  $\text{SUM}\{n = 1.. \infty\} n$  is undefined as the result of throwing dice is  
> undefined in advance. Nevertheless the result cannot be negative. So  
> much logic thinking should be available.  
> If you can't see this fact, then further discussion is meaningless.

You are still wriggling. The sum is undefined using ordinary mathematics, nevertheless it is possible to give a definition (so much for your identity). Stating that something that is undefined can be compared with something that is well-defined borders on nonsense.

Stating that some that it undefined in  $\mathbb{R}$  because it cannot be defined in  $\mathbb{R}$ , can be defined in  $\mathbb{R}$ , is nonsense.

Regards, WM

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