

Re: ** says: Definition: $\sum\{i \text{ in } \mathbb{N}\} i = 0$

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- *From:* WM <mueckenh@xxxxxxxxxxxxxxxxxxxx>
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On 6 Jul., 21:56, Virgil <vir...@xxxxxxxxxxxxx> wrote:

- > If you can't see the facts supporting my discovery ($\lim_{x \rightarrow \infty}$)
- > $P(x)/K(x)$ in the binary tree) then further discussion is meaningless.

Yes, it is meaningless because you do not see that that limit is *not* the necessary value.

The limit is not necessary the value, but for continuous functions it is. $\lim_{x \rightarrow 0} \sin x/x = 1$ unless you define another value at $x = 0$ and by that make the function discontinuous.

WRONG! The function defined merely by $f(x) = \sin(x)/x$ is not even defined at $x = 0$ unless an addition to that definition is appended to extend the definition to cover $x = 0$.

This definition has been given in mathematics once and for all by l'Hospital.
At least in standard mathematics.

The paths of the tree are continuous, however.

Re: ** says: Definition: $\sum_{i \in \mathbb{N}} i = 0$

That is an entirely different form of 'continuity' than the continuity of a real function at a real point. And neither type holds "at ∞ ".

But this kind of continuity guarantees that the limit of $K(x)/P(x)$ is the only reasonable value for the consideration of the whole tree, like l'Hospital delivers the only reasonable value for $\sin x/x$ at $x = 0$.

Therefore the limit $P(x)/K(x)$ is the only possible choice.

Non-existence