

Re: \*\* says: Definition:  $\sum\{i \text{ in } \mathbb{N}\} i = 0$

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- *From:* Virgil <virgil@xxxxxxxxxxxx>
  - *Date:* Sat, 07 Jul 2007 15:31:45 -0600
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In article <1183841453.925240.23300@xxxxxxxxxxxxxxxxxxxxxxxxxxxxxxxxxxxx>, WM <mueckenh@xxxxxxxxxxxxxxxxxxxx> wrote:

On 7 Jul., 19:44, Virgil <vir...@xxxxxxxxxxxx> wrote:

> If you  
> can't see the  
> facts  
> supporting  
> my  
> discovery  
> ( $\lim_{x \rightarrow \infty}$   
>  $P(x)/K(x)$   
> in the  
> binary tree)  
> then further  
> discussion  
> is  
>  
> meaningless.

Yes, it is  
meaningless  
because you  
do not see  
that that  
limit is  
\*not\*  
the  
necessary  
value.

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The limit is not necessary  
the value, but for continuous  
functions it  
is.  $\lim [x \rightarrow 0] \sin x/x = 1$   
unless you define another  
value at  $x = 0$   
and by that make the  
function discontinuous.

WRONG! The function defined merely by  
 $f(x) = \sin(x)/x$  is not even  
defined at  $x = 0$  unless an addition to that  
definition is appended to  
extend the definition to cover  $x = 0$ .

This definition has been given in mathematics once and for  
all by  
l'Hospital.  
At least in standard mathematics.

WRONG! In standard mathematics, any  $0/0$  situation is standardly  
UNDEFINED, even when, as in the  $\sin(x)/x$  case, there is an appropriate  
limiting value. In  $\sin(x)/x$  one has a so called "removable  
discontinuity" but it is never automatically assumed to have been  
removed. At least not in standard mathematics.

The question is only this: Can removal of the removable discontinuity  
yield another result than  
 $\lim_{[x \rightarrow 0]} \sin x/x = 1$ ?

The question is, what is your justification for attempting to remove the  
discontinuity in the first place?

For  $\sin(x)/x$  the answer would be so as to have an everywhere continuous  
and differentiable function.

But for your 'P(x)/K(x)', there is no justification at all, since there  
is a direct way to find what the value should be "at oo".

The paths of the tree are  
continuous, however.

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That is an entirely different form of 'continuity' than the continuity of a real function at a real point. And neither type holds "at  $\infty$ ".

But this kind of continuity guarantees that the limit of  $K(x)/P(x)$  is the only reasonable value for the consideration of the whole tree, like l'Hospital delivers the only reasonable value for  $\sin x/x$  at  $x = 0$ .

It may be the only candidate for continuity, but there is no reason to suppose continuity when one jumps from finite to infinite arguments.

And in this instance there is good reason to doubt it, as there are good reasons to think the number of paths uncountably greater than the number of nodes.

On the other hand, the continuity of the paths guarantees that the result is the only one possible, in mathematics.

That may be what transpires in in WM's MathUnRealism, but it does not in actual mathematics, since by direct analysis, one can show that "at  $\infty$ " the ratio of paths to nodes must be infinite:  
In the infinite case, the number of nodes equals the number of levels, but the number of paths equals the number of sets of levels.