

Re: Implementable Set Theory and Consistency of ZFC

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- *From:* Han de Bruijn <Han.deBruijn@xxxxxxxxxxxxxxxx>
 - *Date:* Tue, 23 Oct 2007 10:41:16 +0200
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lwalke3@xxxxxxxxxx wrote:

On Oct 22, 12:21 am, Han de Bruijn <Han.deBru...@xxxxxxxxxxxxxxxx> wrote:

It's impossible to have infinity without Infinity. If not, show us such a model, please.

It appears that the confusion stems from HdB's failure to distinguish a model from a theory, once again.

It appears that the confusion stems from mainstream mathematics failure to distinguish a childish model from any serious implementation, once again. Look, my Implementable Set Theory e.g. is covering all Database Applications on Earth, which is .. a billion dollar business!

HdB apparently believes that his bitmap model is the _unique_ model of ZFC-Infinity (or indeed, the unique model of the theory of the four Abian axioms). Much of what he writes is based on this assumption — especially his proof that ZFC is inconsistent. In other words, HdB believes that since Infinity is false in the bitmap model, therefore Infinity cannot be an axiom of the theory without introducing a contradiction.

Meanwhile, I've _withdrawn_ my claim that ZFC is "inconsistent". Because that bothers me less than the fact that Infinity is a suspect axiom from the start. I'm not yet finished with Infinity, though ..

Re: Implementable Set Theory and Consistency of ZFC

I believe that many people would take HdB and the other so-called "cranks," who are also guilty of this error, by realizing that one must distinguish between model and theory.

Between the implementation and the theory. Yes. And the implementation is a judge for the theory, at least as much as the theory is a judge for the implementation.

Notice that if T is a theory and ϕ is any axiom, then if M is a model of $T+\phi$, then M is a model of T . In other words, any model of a theory is a model of any subtheory.

ZF-Infinity is a subtheory of ZF, since the former is a subset of the latter. And so any model of ZF is a model of ZF-Infinity.

Yes. And a "model" of (ZF-Infinity) is not per se a model of ZFC, which is the very difference between an "if" and an "iff".

Han de Bruijn

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