

# Re: Provability

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*Source:* <http://sci.tech-archive.net/Archive/sci.math/2007-10/msg04530.html>

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- *From:* galathaea <galathaea@xxxxxxxxxx>
  - *Date:* Wed, 24 Oct 2007 23:19:03 -0700
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On Oct 24, 10:09 pm, Robert Israel  
<isr...@xx> wrote:

Michael Press <rub...@xxxxxxxxxxxx> writes:

In article  
<1193251799.743613.21...@xx>,  
Marshall <marshall.spi...@xxxxxxxxxx> wrote:

On Oct 24, 10:57 am, Michael Press <rub...@xxxxxxxxxxxx>  
wrote:

An algorithm is a procedure that takes input  
and  
terminates with a well-defined and asserted  
result.  
That it does terminate with the asserted  
result must be  
proven. Until we accept the proof, it is not  
an  
algorithm. The notion of right answer is not  
part of  
the definition of algorithm.

That definition is extremely narrow, and does not correspond  
to any usage of the term that I can recall in many years  
of being a programmer.

I'm not even sure I'd buy in to the "well-defined" part.  
Having a "probabilistic algorithm" doesn't sound like  
a contradiction in terms. In fact, Googling it just

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now it gets a lot of hits. Neither does "proven correct,  
proven terminating algorithm" sound redundant.

I fail to see the utility in defining an algorithm  
to be no more than a partial recursive function.  
A theorem is not a theorem until it is proven.  
What is your standard for implementing a method  
into production code?

Whether you see the utility or not is beside the point. The  
fact is that standard terminology in mathematics and theoretical  
computer science does consider a partial recursive function to be "an  
algorithm", and there is a difference between "algorithm A solves problem P"  
and "we have a proof that algorithm A solves problem P". Similar  
situations exist in most of classical mathematics: objects may have  
certain properties even if there is no proof that they have those  
properties.

although true in many other parts of math  
that is not true in rigorous computer science  
where properties are strongly operational  
due to the inherent relation between syntax and semantics  
(galois adjunction)

proof theory is also formulated  
very often in this operational form  
and generally  
this is common when properties evolve in time

some theories of definition  
have this built in

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galathaea: prankster, fablist, magician, liar

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