

Re: 1-1/2+1/3-1/4+1/5-1/6+1/7

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- *From:* "Jesse F. Hughes" <jesse@xxxxxxxxxxxxxx>
 - *Date:* Mon, 18 Feb 2008 08:50:47 -0500
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Han de Bruijn <Han.deBruijn@xxxxxxxxxxxxxx> writes:

Jesse F. Hughes wrote:

Han de Bruijn <Han.deBruijn@xxxxxxxxxxxxxx> writes:

Time to hook in with an improved version of my purported
"Proof that ZFC
is inconsistent" (well, it's not the proper thread, but ..).
Scrutinize,
please.

Proof that ZFC is inconsistent

You are **so** cute.

Lemma

Let x, y be any sets, then (the `_same_` function S as above):

y is in $S[x]$ iff there is some n such that for all $m > n$
 y is in $S_m[x]$

Here, $n \in \mathbb{N}$, $m \in \mathbb{N}$ and $S_m[x]$ defined as above.

Proof

As an exercise for the interested reader ;-)

Bullshit.

I've already said that this is false, so how do you dare omit the
proof?

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But, as far as I can see, you HAVEN'T proved that they are NOT the same.

In <87d4r3r3ur.fsf@xxxxxxxxxxxxxx>, I explicitly anticipated this argument. Let $T(x) = \{ y \text{ in } N \mid (E n \text{ in } N)(A m \text{ in } N)(m > n \rightarrow y \text{ in } S_m[x]) \}$

Then we see that

$y \text{ is in } S[x] \text{ iff } (E z \text{ in } x)(A w \text{ in } N)(w \text{ in } y \leftrightarrow$

$(E n \text{ in } N)(A m \text{ in } N)(m > n \rightarrow w \text{ in } S_m(z))$

[the corresponding formula in the previous post was not right, but see

below] while $y \text{ is in } T(x) \text{ iff } (E n \text{ in } N)(A m \text{ in } N)(m > n \rightarrow (E z \text{ in } x)(y = S_m(z)))$

If you want to show that $S[x] = T(x)$, then you sure as hell can't leave the proof to *this* reader, because I don't see any reason that it's true.

But, you don't see any reason that it's NOT true either. Am I right?

You proved it. *You* showed that $S[N] = \{N\}$ and $T(N) = \{\}$. This constitutes a proof that $S[N] \neq T(N)$ and hence that, in general, $S[x] \neq T(x)$.

Proof left to reader my ass, Han. That was either just butt-stupid or dishonest. I had *already* suggested[1] that the lemma is false. If you think otherwise, then have the balls to prove it.

Yeah, and let Jesse F. Hughes have the balls to disprove it. Read on.

You provided the proof yourself.

Footnotes: [1] Though, to be honest, my description of $S[x]$ was simply off.

I agree with you that 90 percent a proof is not a proof, and that I HAVE to prove the Lemma that was left as "an exercise to the reader". Though you could have noticed my smiley .. Shall we conclude that the only flaw in the purported proof is exactly there? Is there anything else wrong? If not, then I only have to repair this weakest link in the chain. OK?

Yes, if you prove $S[N] = T(n)$ after having already proved that they

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are not equal, then you're done.

No idea why you think that 90% of the task through, however. In any case, the last 10% of an impossible task is the hardest part, I hear.

—

"Four little piggies went to market.

This little piggy wanted ice cream

And Mama said 'Nooooo!'"

—A new Piggy Song, by Quincy Hughes (age 3)

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