

Re: Lagrange Polynomial, Taylor's series, e^{ix}

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- *From:* Matt <matt271829-news@xxxxxxxxxxxx>
 - *Date:* Thu, 8 Jan 2009 06:14:34 -0800 (PST)
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On Jan 8, 1:53 pm, Matt <matt271829-n...@xxxxxxxxxxxx> wrote:

On Jan 8, 10:06 am, Nimo <azeez...@xxxxxxxx> wrote:

On Jan 8, 1:06 pm, galathaea <galath...@xxxxxxxx> wrote:

On Jan 7, 9:53 am, Nimo <azeez...@xxxxxxxx> wrote:

1Q) If the equation is like this
 $e^{ix} - 100 = 0$
how to find x value ?
Is it possible to do that ?

$$e^{ix} = 100$$

but also

$$e^{i(x + 2\pi n)} = 100$$

by periodicity
(this is to reveal the multivalued inversion)

take \ln s

$$i(x + 2\pi n) = 100$$

$$x = -100i - 2\pi n$$

for all integers n

galathaea: prankster, fablist, magician, liar

thanks for the help

what about 3Q) ?
is it confusing

/*In a single line the problem would be like this*/

Given Taylor's polynomials for a function $f(x)$ in $[a,n]$
if taylor's polynomials at all points are given
 $T(a),T(b),T(c).....T(n)$

how to construct the precise function.
what should I do ?

Ignoring for these purposes issues to do with convergence or non-convergence, the Taylor series (I assume that's what you mean by "Taylor's polynomial") at any point defines the *whole* function. So, you only need one of them, say $T(a)$. Given $T(a)$, constructing $f(x)$ may be anything from trivial to extremely difficult, depending on whether the series has a finite or infinite number of terms, whether you have the coefficients of the series symbolically in terms of a or only numerically, and whether the series is in a plain or obfuscated form.

Oops, sorry, scratch that reply... I guess you mean you have the terms of the Taylor series up to a certain point, but no further.