

Re: 1 FERTZ

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From: Bjoern Feuerbacher (feuerbac_at_thphys.uni-heidelberg.de)

Date: 06/02/04

Date: Wed, 02 Jun 2004 18:40:59 +0200

Y.Porat wrote:

> *Bjoern Feuerbacher* <feuerbac@thphys.uni-heidelberg.de> wrote in message
news:<c9k5iv\$hn\$1@news.urz.uni-heidelberg.de>...

>

>>Y.Porat wrote:

>>

>>>Bjoern Feuerbacher <feuerbac@thphys.uni-heidelberg.de> wrote in message
news:<c9hgus\$pr5\$1@news.urz.uni-heidelberg.de>...

>>>

>>>

>>>>Y.Porat wrote:

>>>>

>>>>

>>>>>Bjoern Feuerbacher <feuerbac@thphys.uni-heidelberg.de> wrote in message ne

>>>>>

>>>>>

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>>>>>>>because *you are unable to do it crook!!!

>>>>>>>

>>>>>>>For the 30th time: according to Maxwell's equations, a multipole moment
>>>>>>>which is changing periodicaly with a frequency f will produce an em wave
>>>>>>>with that same frequency f . That was proved more than 100 years ago.

>>>>>>>

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>>>>

>>>>we are not interested in your 'explanations'

>>>>we are interested in your *calculations*– crook

>>

>>The calculation I referred to above can be found in any textbook. But
>>since you *insist*, I will reproduce it here (and you won't understand
>>anything about it and will call it "obfuscation"...).

>>

>>This will get a bit long, but you insisted... I won't give all of the
>>tiny steps in between – if you want to see those, too, you can look them
>>up in any book on electrodynamics. Most of them even can be found in
>>books on vector calculus.

>>

>>
 >>Start with Maxwell's third equation:
 >> $\text{div } \mathbf{B} = 0$ (1)
 >>Keep in mind that \mathbf{B} and \mathbf{E} are vector fields, and please notice that I
 >>am working in Gaussian units! Also, I only give the derivation for a
 >>charge density and current density in a vacuum (after all, the earth
 >>moves through a vacuum!); the derivation for other media would be similar.
 >>
 >>This implies that there exists a vector field \mathbf{A} (called the "vector
 >>potential") so that
 >> $\mathbf{B} = \text{rot } \mathbf{A}$ (2)
 >>Now take the second equation:
 >> $\text{rot } \mathbf{E} = -1/c \text{ del } \mathbf{B} / \text{del } t$ (3)
 >>(the "del's" imply here a partial derivative)
 >>
 >>Insert (2) into (3) and rearrange the formula:
 >> $\text{rot}(\mathbf{E} + 1/c \text{ del } \mathbf{A} / \text{del } t) = 0$
 >>
 >>This implies that there exists a scalar field Φ (called the "scalar
 >>potential" or simply "potential") so that
 >> $\mathbf{E} + 1/c \text{ del } \mathbf{A} / \text{del } t = -\text{grad } \Phi$ (4)
 >>
 >>Now take the first equation:
 >> $\text{div } \mathbf{E} = 4 \pi \rho$
 >>and the fourth:
 >> $\text{rot } \mathbf{B} = 4 \pi/c \mathbf{j} + 1/c \text{ del } \mathbf{E} / \text{del } t$
 >> ρ is here the charge density (a scalar field) and \mathbf{j} is the current
 >>density (a vector field)
 >>
 >>Insert (2) and (4) here and rearrange the equations a bit; the results are:
 >> $(1/c^2 \text{ del}^2/\text{del } t^2 - \text{Del}) \Phi - 1/c \text{ del}/\text{del } t (\text{div } \mathbf{A} + 1/c \text{ del } \Phi/\text{del } t)$
 >> $= 4 \pi \rho$ (5)
 >>and
 >> $(1/c^2 \text{ del}^2/\text{del } t^2 - \text{Del}) \mathbf{A} + \text{grad} (\text{div } \mathbf{A} + 1/c \text{ del } \Phi/\text{del } t)$
 >> $= 4 \pi/c \mathbf{j}$. (6)
 >>I use "Del" here to denote the Laplace operator.
 >>
 >> Φ and \mathbf{A} are not uniquely defined; one can make a so-called "gauge
 >>transformation" without changing \mathbf{E} and \mathbf{B} . I.e. one can use
 >> $\Phi' = \Phi + 1/c \text{ del}/\text{del } t \Lambda$
 >>and
 >> $\mathbf{A}' = \mathbf{A} - \text{grad } \Lambda$
 >>instead of Φ and \mathbf{A} , with an arbitrary function Λ . One can use
 >>this gauge freedom to simplify the equations (5) and (6) above ("gauge
 >>fixing"); one gauge condition which is commonly used is the "Lorentz gauge":
 >> $\text{div } \mathbf{A} + 1/c \text{ del } \Phi/\text{del } t = 0$
 >>
 >>So the equations (5) and (6) simplify to:
 >> $(1/c^2 \text{ del}^2/\text{del } t^2 - \text{Del}) \Phi = 4 \pi \rho$
 >>and
 >> $(1/c^2 \text{ del}^2/\text{del } t^2 - \text{Del}) \mathbf{A} = 4 \pi/c \mathbf{j}$.

>>
 >>Now these differential equations can be solved with the help of the
 >>so-called "retarded Green's function" (one could also use the "advanced
 >>Green's function" or linear combinations of the two, but for emission
 >>of radiation, the retarded Green's function is the relevant one). One
 >>then gets the "retarded potentials":
 >> $\Phi(r,t) = \int dV' \rho(r', t - |r-r'|/c) / |r-r'|$ (7)
 >>and
 >> $A(r,t) = 1/c \int dV' j(r', t - |r-r'|/c) / |r-r'|$ (8)
 >>The integral here runs over the whole volume, r and r' are vectors, and
 >>the combination $t - |r-r'|/c$ is called the "retarded time".
 >>
 >>So far, the derivation has been completely general. Now we come to
 >>charge and current densities which change periodically:
 >> $\rho(r,t) = \rho_0(r) e^{-i \omega t}$ (9)
 >>and
 >> $j(r,t) = j_0(r) e^{-i \omega t}$ (10)
 >>(please notice that ρ_0 and j_0 are not entirely arbitrary – they obey
 >>the continuity equation). ω here is the "circular frequency"; it is
 >>simply an abbreviation for $2 \pi f$, where f is the frequency.
 >>
 >>Insert (9) and (10) into (7) and (8) and rearrange the equations a
 >>bit; then one gets:
 >> $\Phi(r,t) = e^{-i \omega t} \int dV' \rho_0(r') e^{i \omega |r-r'|/c} / |r-r'|$
 >>and
 >> $A(r,t) = e^{-i \omega t} 1/c \int dV' j_0(r') e^{i \omega |r-r'|/c} / |r-r'|$.
 >>
 >>So we see that the potentials have the *same* time dependence as the
 >>charge and current density, i.e. both are periodic functions of the time
 >>with the *same* frequency as the densities. Since we are only interested
 >>in the time dependence, I will now introduce abbreviations for the
 >>integral and write simply
 >> $\Phi(r,t) = e^{-i \omega t} \Phi_0(r)$
 >>and
 >> $A(r,t) = e^{-i \omega t} A_0(r)$.
 >>
 >>Now insert this into the equations (2) and (4); this gives:
 >> $E = e^{-i \omega t} (-\text{grad } \Phi_0(r) + i \omega/c A_0(r))$
 >>and
 >> $B = e^{-i \omega t} \text{rot } A_0(r)$.
 >>
 >>So we see that the fields have the *same* *periodic* time dependence as
 >>the densities. In other words: if one has a charge and/or current
 >>density which changes periodically with a frequency f , there will be
 >>electric and magnetic fields which *also* change periodically with the
 >>*same* frequency f . This result is *completely* general, it does not
 >>depend on the frequency f in any way.
 >>
 >>The motion of the earth around the sun produces a charge and current
 >>density which changes periodically with a frequency of 1/1 year. Thus
 >>there will be electric and magnetic fields with that same frequency. In

>>other words, there is an electromagnetic wave with a frequency of 1/1 year.
>>
>>If you want to know more details about that wave, you have to do
>>the integrals (i.e. calculate A_0 and Φ_0), and then do the
>>derivatives to get E and B . From that, you can get the Poynting vector
>> $S = c/4 \pi (E \text{ cross } B)$,
>>which tells you how much energy is radiated in which directions.
>>
>>But all these details are rather irrelevant, since the basic thing was
>>already proven above...
>>
>>
>>
>>
>>>1 fertz is a very accurate number
>>
>>That's a rather meaningless statement. 1 Hz, for example, is **also** a very
>>accurate number.
>>
>>
>>
>>
>>>(a mistake of your calculation of the order of 20 times
>>>will be also accepted as a good result!!!....)
>>
>>Well, my proof shows that the motion of the earth around the sun
>>produces electric and magnetic fields which have the **same** periodicity
>>as the motion of the earth around the sun, i.e. a frequency of **exactly**
>>1/1 year. There is no error at all here – the frequency comes out **exactly**.
>>
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>
> that was very impressive

Nice that you think so.

Hint: one learns this stuff in the second year of a physics study here in Germany. Not really "rocket science" – in contrast, fairly basic stuff. As I said: this has been known for over 100 years now.

> but still i didnt see the botom line in figures

As suspected: you fail to get the point.

I repeat the relevant equations here:

$$\rho(r,t) = \rho_0(r) e^{-i \omega t} \quad (9)$$

and

$$j(r,t) = j_0(r) e^{-i \omega t} \quad (10)$$

I.e. we start with a charge and current distribution which is periodic with the frequency $f = \omega / 2 \pi$. For the example here, $f = 1/1$ year (since the motion of the earth around the sun **obviously** represents a

charge and current distribution which is changing periodically with that frequency!).

And we arrive at:

$$E = e^{(-i \omega t)} (-\text{grad } \Phi_0(r) + i \omega/c A_0(r))$$

and

$$B = e^{(-i \omega t)} \text{rot } A_0(r).$$

So the fields are *also* periodic with the *same* frequency f as above. In other words: there are periodic fields with a frequency of $f = \omega / 2\pi = 1/\text{year}$. In other words: there is an electromagnetic wave with the frequency $1/\text{year}$.

Do you understand now? The frequency of the wave is the same as the frequency of the densities!

- > *you know i think that is i will insert numbers and*
- > *actual data i will get 1 Hertz not 1 fertz*
- > *what do you think about it?*

I think that you didn't understand anything about the calculation.

Prove me wrong. Insert some figures in *any* of the equations above and get 1 Hz. I'm waiting...

- > *am i wrong ???*
- > *letas see your figures!!(numbers)*

See above. If the charge and current density change periodically with a frequency f (in the example here: $f = 1/\text{year}$), then the fields will change periodically with the same frequency $f = 1/\text{year}$.

- > *btw dont you realise that you are making a bigger and bigger asshole of*
- > *youself??*

By writing down a mathematical proof, I'm making an asshole of myself? Interesting. You have a strange notion of what "asshole" means...

- > *do you think that the wole world is stoopid?*

No – but I think that you haven't understood a word of my proof.

- > *to fail to see that you are a crook? and a sore loser?*

Hint: you are *still* the only one who claims that.

- > -----
- > -----
- >

This time, you not only forgot to point out that you are a crackpot – you also forgot to mention your own name! Does this imply that

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you are ashamed yourself of the nonsense you write?

Bye,
Bjoern