

## Re: the basis of relativity

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- *From:* "Ken S. Tucker" <[dynamics@xxxxxxxxxxxxx](mailto:dynamics@xxxxxxxxxxxxx)>
  - *Date:* 1 Jun 2005 12:31:09 -0700
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Tom Roberts wrote:

> Ken S. Tucker wrote:

>> I think you'll find this fun, see Weinberg's

>> "The Gravitational Action" pg 364.

>>

>> IMO, there is a clear geometric definition of

>> the  $g$ -field, characterized by the gravitational

>> action invariant.

>> Please see Weinberg's "Grav & Cosmo", Eq.(12.4.2).

>> Therein we see the Curvature Scalar "R".

>>

>> I understand a non-zero "R" at  $(x)$  denoted  $R(x)$

>> means a  $g$ -field exists at  $(x)$  that cannot be

>> transformed away, due of course to the invariance

>> of "R".

>

> The actual value of the Action does not matter -- one can add an

> arbitrary constant to it without changing any physics.

I find no evidence to support your statement, check Weinberg pg 360-1, it's not there, provide a ref please.

> Indeed, there is a much larger group of functions one

> can add without changing any physics....

Yes, but action is not *usually* considered in that group. Just examine adding an arbitrary constant to Plancks "h", such as  $-h$ , the physics will change :-).

> And, as the previous posts pointed out repeatedly:  $R^a_{bcd}$  can be

> nonzero but R is zero (because the terms in the contractions sum to

> zero), and this ALWAYS happens in a vacuum region.

The problem is: If  $R=0$  then constant  $g_{uv}$ 's may be used to describe that field over a finite region.

Hence  $R=0$  means  $R^a_{bcd}=0$ , that's a fact.

> The nonvanishing of

>  $R^a_{bcd}$  (the Riemann curvature tensor) is what indicates the manifold is

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- > not flat; whether or not that indicates the presence of a "g field"
- > depends in detail on what you mean by "g field".

In our framework, that means we have spacetime defined by light paths in which  $g_{uv}$  are not constant. Baring classical EM interactions, like refraction, we're in a g-field.

- > But yes, if  $R$  is nonzero at a given point that nonzeroness cannot be transformed away.

agreed

- > > Ok, in view of the above let me summarize my
- > > understanding of the discussion.
- > > The  $R_{uv}=0$  has TWO solutions,
- > > 1)  $g_{uv} = \text{constants}$
- > > or
- > > 2)  $g_{uv} = \text{Schwarz Solution.}$
- >
- > No. The equation  $R_{uv}=0$  has an infinite number of solutions, of which you
- > named 2 (assuming you means the Schwarzschild solution for (2)). That's
- > why one needs boundary conditions (like any other set of PDEs)....

The point is,  $R_{uv}=0$  has two solutions, and you maybe correct it has more, but for our purposes we agree those two exist, coincident with  $R_{uv}=0$ , ok?

- > > However  $R^a_{bcd} \neq 0$  requires the  $g_{uv}$  are NOT
- > > constants, and that \*implies\* to me  $R \neq 0$ , [...]
- >
- > See above. You keep getting the implication backwards.

Study metrics where  $R=0$ , i.e. No Curvature, in that case we can surely use constant  $g_{uv}$ 's right?

- > > IMO, the use of  $G_{uv}=T_{uv}=0$  is a non-physical
- > > \*approximation\* of "empty space".
- >
- > It's no "approximation", it is \_exact\_ --- that is what we mean by "empty
- > space" (aka "vacuum"). This may not correspond to any region of the
- > world we inhabit, but that's a different issue....

- > > In fact the
- > > space is NOT empty, as it contains the gravitating
- > > body.
- >
- > What "gravitating body"???? --- if  $T_{uv}=0$  in some region, there is
- > nothing in that region. Period.

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- > This, of course, says nothing about
- > other regions of the manifold. If there is matter in other regions, then
- > even though  $T_{uv}=0$  in the region in question[#], almost certainly
- >  $R^a_{bcd}$  will be nonzero -- gravitational attraction exists in vacuum
- > regions.
- >
- > [#] Hence  $R_{ab}=0$  and  $R=0$  in that region.
- >
- >
- > The Riemann (components  $R^a_{bcd}$ ) curvature tensor can be separated into
- > two tensors: the Ricci tensor (components  $R_{ab}$ ) and the Weyl tensor
- > (components  $C^a_{bcd}$ ); at each point Ricci is related to matter/energy at
- > that point while Weyl is related to matter/energy elsewhere.

IMO we're analysing AE's Law, I think we may be digressing by beginning an analysis of the Weyl.

- >> The definition of a vacuum can then depend
- >> upon the arbitrary volume one chooses, certainly
- >> that's not a good definition.
- >
- > You are confused. See above. There is no such indefiniteness about what
- > "vacuum" means -- it means  $T_{uv}=0$  at any point in the vacuum region.

I'm not confused at all, but I do recognize ambiguity in the definition of a vacuum. Tell us what volume we should use to calculate the density and hence vacuum using  $\text{mass}/\text{volume}=\text{density}$  and why.

- >> I prepose the definition of a vacuum in GR to be
- >> defined by the effect of the spacetime field  $G_{uv}$
- >> on light propagation, such as deflection, Shapiro,
- >> Pound-Rebka which differs from one that an inter-
- >> galactic "empty space" would be.
- >
- > Don't "prepose" anything, just use the standard meanings of words, or
- > you will get hopelessly confused (as if you aren't already (:-(.

No Tom, you're drifting to insult. Please define vacuum (aka density) or ref as we should use it in GR.

- >> Hence in the presence of the Sun a particle like
- >> Mercury would \*strictly\* require  $T_{uv}>0$  to calculate
- >> it's precession, though retain  $G_{uv}=0$  as an
- >> approximation, but not truly physical because of the
- >> two possible solutions above that are permitted.
- >
- > You are confused.

Tom, your trying our patience, answer the questions.

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> The usual approximation

Yes, we agree to approximation...

- > used for computing the
- > precession of Mercury's perihelion is that the region of its orbit is
- > truly vacuum, and the sun is spherically-symmetric and not rotating, so
- > the Schwarzschild metric holds in that region. Hence in this
- > approximation  $G_{uv}=0$  and  $T_{uv}=0$  and  $R_{uv}=0$  in the region of its orbit.
- > One can then calculate its precession using the Schw. metric. One can
- > show that the error in assuming that region is vacuum is negligible.

Negigable is vastly different than zero in theory.  
I can tweak Newton's gravity and get GR's results,  
does that make it right?

- >> So I suggest recognizing Gravitation as an \*Action\*
- >> (not a field) as Weinberg describes in the ref.
- >> (Perhaps the field concept is a Newtonian hang-over).
- >
- > Again you are confused.

Tom, answer the questions, if you can.  
If I'm confused and you aren't then it  
should be easy for you, just point to  
the exact equations.

- > While indeed the notion "gravitational field" is
- > quite ambiguous in GR,

Why is it ambiguous, why do you think that?  
How would you remove that ambiguity?

- > the action does not come close to meeting what
- > people expect from that concept.

What people? Who said that? Do you have a ref?  
Regards  
Ken S. Tucker

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- *Follow-Ups:*
    - ◆ *Re: the basis of relativity*  
◇ From: Tom Roberts

- *References:*
  - ◆ *Re: the basis of relativity*

Re: the basis of relativity

◇ *From:* Tom Roberts

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