

Re: GRAVITATION

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- *From:* srp <srp2@xxxxxxxxxxxxxxxxxxxx>
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kirov a écrit :

Besides that each formula in the physicist has the physical sense, science of the physicist is engaged in an explanation of physical natural phenomena and ignoring of elementary logic reasonings conducts to distortions of scientific thinking.

You are absolutely right.

This is why logic reasoning has to be made from verified physical natural phenomena.

What do we know for certain about the electron ?

We know for certain that it has an invariant charge

By convention, its value has been set to $e=1.602176462E-19$ Coulomb, so we can use a precise value in equations.

We also know for certain that it has an invariant mass, that has been very precisely measured to be $m = 9.10938188E-31$ kg

We also know that this mass amounts to very precisely $E = mc^2 = 8.18710414E-14$ Joules

In eV (electron Volts) this amounts to very precisely

$$E = mc^2/|e| = 510998.9027 \text{ eV}$$

(circumstances have made that the absolute value of the electron charge is the same as the conversion factor from Joules to eV)

We know that the proton has a charge identical to that of the electron.

If you apply the Coulomb equation to the rest state of

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the hydrogen atom, you get

$$F = ke^2/r^2 = 8.238721759E-8 \text{ N}$$

where r is the Bohr radius $r = 5.291772083E-11 \text{ m}$

where $k = 1/(4 \pi \epsilon_0) = 8.987551788E9$

Which you rightfully approximated to $9E9$

where ϵ_0 is the permittivity constant of vacuum

$$\epsilon_0 = 1/(4 \pi c^2 10^{-7}) = 8.854187817E-12$$

where c is the speed of light $c = 299792458 \text{ m/s}$

If you resolve ϵ_0 in k you still get

$$k = c^2 10^{-7} = 8.987551787E9$$

And if you resolve k in the Coulomb equation, you get

$$F = (e^2 10^{-7} c^2)/r^2 = 8.238721759E-8 \text{ N}$$

From a paper published by physicist Paul Marmet,

<http://www.newtonphysics.on.ca/magnetic/mass.html>

The invariant mass of the electron can be defined from a set of known constants

$$m = e^2 / (2 \epsilon_0 \alpha \lambda_C c^2)$$

where alpha is the fine structure constant

$$\alpha = 1/137.0359998 = 7.297352533E-3$$

and λ_C is the known electron Compton wavelength

$$\lambda_C = 2.426310215E-12 \text{ m}$$

If you resolve ϵ_0 in the Marmet definition of the electron energy, you get

$$m = (e^2 10^{-7} 2 \pi) / (\lambda_C \alpha)$$

If you multiply the Coulomb equation by mutually reducible occurrences of $(2 \pi) / (\lambda_C \alpha)$ you get

$$F = (e^2 10^{-7} 2 \pi \lambda_C \alpha c^2) / (\lambda_C \alpha 2 \pi r^2)$$

or

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$$F = (e^2 10^{-7} 2 \pi) / (\lambda_C \alpha) \\ * (\lambda_C \alpha c^2) / (2 \pi r^2)$$

or, if you resolve for the electron mass from the Marmet paper

$$F = m * (\lambda_C \alpha c^2) / (2 \pi r^2)$$

Now, we know that the theoretical velocity of the electron in the hydrogen ground state is equal to the product of αc , so

$$v = \alpha c = 2187691.252 \text{ m/s}$$

so to obtain that velocity squared in the Coulomb equation, we need to multiply the equation by mutually reducible occurrences of α

$$F = m * (\lambda_C \alpha^2 c^2) / (2 \pi \alpha r^2)$$

Which you can then reduce to

$$F = m * (\lambda_C v^2) / (2 \pi \alpha r^2)$$

simple calculation will show that

$$r = \lambda_C / (2 \pi \alpha) = 5.291772084 \times 10^{-11} \text{ m}$$

So you can further reduce

$$F = m * (r v^2) / r^2 = m v^2 / r = 8.238721759 \times 10^{-8} \text{ N}$$

Which is

$$F = ma = 8.238721759 \times 10^{-8} \text{ N}$$

Which shows that the Coulomb equation is in reality the same as the fundamental acceleration equation only expressed differently.

But there is more.

The G constant that you planned to use with the hydrogen atom is defined with parameters belonging to the Solar System, which is immensely larger than the hydrogen atom.

$$G = (4 \pi^2 r^3) / (M T^2)$$

where r is the mean radius of the earth orbit

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$$r = 1.4959787E11 \text{ m}$$

T is the time for one complete earth orbit

$$T = 3.15581E7 \text{ s (one year)}$$

and M is the estimated mass of the Sun

$$M = 1.9891E30 \text{ kg}$$

which makes

$$G = (4 \pi^2 r^3)/(M T^2) = 6.673E-11$$

This means that if you want to use G in the hydrogen atom, you have to recalculate G with values that are meaningful to the hydrogen atom, and which are

$$r = \text{Bohr radius} = 5.291772083E-11 \text{ m}$$

$$M = \text{mass of the proton} = 1.67262158E-27 \text{ kg}$$

and from the frequency of the Bohr ground state energy ($f = 6.57968391E15 \text{ Hz}$) you can calculate T

$$T = 1/\text{frequency} = 1.519829851E-16 \text{ s}$$

If you recalculate G for the hydrogen atom, you get

$$G = (4 \pi^2 r^3)/(M T^2) = 1.514172983E29$$

If you use this redefined G in the gravitational equation applied to the hydrogen atom, you get

$$F = G Mm/r^2 = 8.238721759E-8 \text{ N}$$

where M is the mass of the proton,
m is the mass of the electron
and r is the Bohr radius

Which is the same value as the Coulomb equation and the acceleration equation.

Now, if you resolve G in that equation, you get

$$F = (4 \pi^2 r^3)/(M T^2) * Mm/r^2$$

simplifying, you get

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$$F = m (4 \pi^2 r) / T^2$$

Now, to square the radius you need to multiply and divide by mutually reducible occurrences of the radius

$$F = m (4 \pi^2 r^2) / r T^2$$

But since $(2 \pi r)$ is the length of the orbit, then $(2 \pi r) / T$ is the velocity

So, you can resolve for the velocity

$$F = m v^2 / r = 8.238721759 \times 10^{-8} \text{ N}$$

or

$$F = ma = 8.238721759 \times 10^{-8} \text{ N}$$

This is why you cannot intermix the Coulomb equation with the gravitational equation. They simply are two different representation of the very same classical acceleration equation $F=ma$ expressed differently. You can substitute one for the other, but you cannot intermix them.

For the hydrogen atom,

$$F = ke^2 / r^2 = GMm / r^2 = ma = 8.238721759 \times 10^{-8} \text{ N}$$

André Michaud

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