

# Re: Statistical Ranking for Non-Normal Populations

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On Thu, 14 Oct 2004 22:36:57 -0400, Richard Ulrich wrote:

>On Wed, 13 Oct 2004 18:30:39 +0000 (UTC), Willy.Yoda@gmx.net (Peter  
>Hach) wrote:

>

>> I need to perform (statistical) ranking of a number of large, but  
>> finite populations  $X[i] = (x[i][1], \dots, x[i][n])$  in a scenario  
where

>> acquiring each  $x[i][j]$  is very expensive. I am looking for the  
>> population  $X[i]$  with the smallest Sum or Average over the  $x[i][j]$   
>> (i.e. I am only interested in the top-ranked one). Furthermore, all  
>>  $x[i][j]$  are strictly larger than 0.

>>

>> I've started looking into the statistical ranking techniques, and  
most

>> work I've seen assumes that samples are generated from normal  
>> distributions (and their variances are equal). I suspect this is  
>> because in these cases

>>

>> Sample-Mean - True-Mean

>> ----- ~ student's t distribution

>>  $\sqrt{\text{Sample-Variance}/(n)}$

>>

>> i.e. one is not reliant on knowing the true Variance...?

>> Unfortunately, my data is non-normal and the  $X[i]$ s may differ

>> significantly in variance.

>

>As I read it: You want to be able to state what you assurance  
>you may have that a particular 'finite population', among several  
>of the same size, will have the largest mean, based on a partial  
>sampling.

>

>The original distribution being non-normal is not much  
>of a problem, so long as the sum is well-behaved.

>

>Differences in variance may not be as much of a problem  
>if the samples are from the same family. Do you know

sci.stat.math: Re: Statistical Ranking for Non–Normal Populations

>*they are always finite? Is there much systematic*